



DEPARTMENT OF COMPUTER SCIENCE & ENGINEERING
UNIVERSITY OF BARISHAL

FINAL EXAMINATION-2022

Course Title: Computer Graphics

Course Code: CSE-4109

4th Year, 1st Semester, Session: 2018-19

Time: 3 hours

Marks: 60

Answer any Five (5) Questions from the followings.

1. a) In circle drawing, discuss the uncertain cases that lead to the development of "Midpoint Circle Algorithm". 4
b) Consider endpoints P1(0,0) and P2(4, 6). Based on Digital Differential Analyzer (DDA), examine the points that make up the line P1P2. 8
2. Figure 2 shows a viewing (clipping) window with coordinates where a line joining the point p0(x0, y0) and point p1(x1, y1) is required to be clipped. Figure 3 shows Cohen-Sutherland line clipping codes and algorithm to find the intersection points that form the line after clipping.

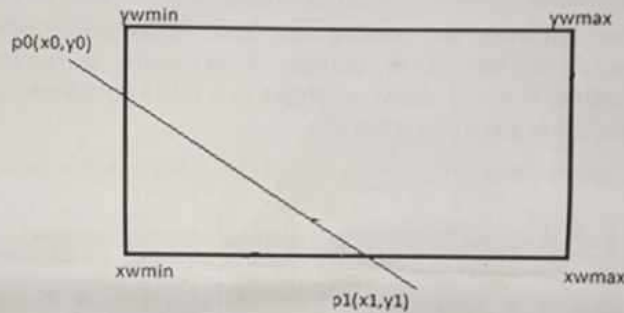


Figure 2: Viewing area and a line to be clipped

<div data-bbox="357 1200 829 1657"> </div> <div data-bbox="357 1657 829 1964"> <p>Test using bitwise functions</p> <pre> if c₀ & c₁ = 0000 accept (draw) else if c₀ & c₁ ≠ 0000 reject (don't draw) else clip and retest </pre> </div>	<p>Intersection algorithm:</p> <pre> if c₀ ≠ 0000 then c = c₀; else c = c₁; dx = x₁ - x₀; dy = y₁ - y₀ if c & 1000 // y_{max} x = x₀ + dx * (y_{max} - y₀) / dy; y = y_{max}; else if c & 0100 // y_{min} x = x₀ + dx * (y_{min} - y₀) / dy; y = y_{min}; else if c & 0010 // x_{max} y = y₀ + dy * (x_{max} - x₀) / dx; x = x_{max}; else // x_{min} y = y₀ + dy * (x_{min} - x₀) / dx; x = x_{min}; if c = c₀ x₀ = x; y₀ = y; else x₁ = x; y₁ = y; </pre>
(a) Cohen-Sutherland codes	(b) Cohen-Sutherland clipping algorithm

Figure 3: Cohen-Sutherland line clipping codes and algorithm

- a) Demonstrate the process to find the intersection points that form the line after the clipping using the Cohen-Sutherland algorithm with $x_{wmin} = 0$, $x_{wmax} = 100$, $y_{wmin} = 0$, $y_{wmax} = 100$, $x_0 = -10$, $y_0 = -20$, $x_1 = 120$ and $y_1 = 110$. 10
- b) How viewing-coordinate reference frame can be established? 2
3. a) Distinguish the terms: i) Brightness/luminance, ii) hue/dominant, iii) saturation/excitation purity. 6
- b) Find a transformation A_v which aligns a given vector V with the vector K along the positive z axis. 4
- c) Define 2D mirror reflection. Write the matrix form of reflection when an object is reflected with respect to X -axis. 2
4. a) Write down the differences between geometric transformations and coordinate transformation. 2
- b) For scaling an object, is it necessary to have a fixed point? 2
- c) Explain how to convert standard 3D coordinates, $(x; y; z)$, to homogeneous coordinates, and how to convert homogeneous coordinates to standard 3D coordinates. 4
- d) Define 2D Scaling and write the matrix form of Scaling when an object is $1/2$ with respect to X -axis. 4

5. Translation, rotation and scaling are basic transformations that can be implemented to accomplish changes from world to screen coordinate transformation. Figure 4 shows an object in a world coordinate system and its transformation in a screen system.

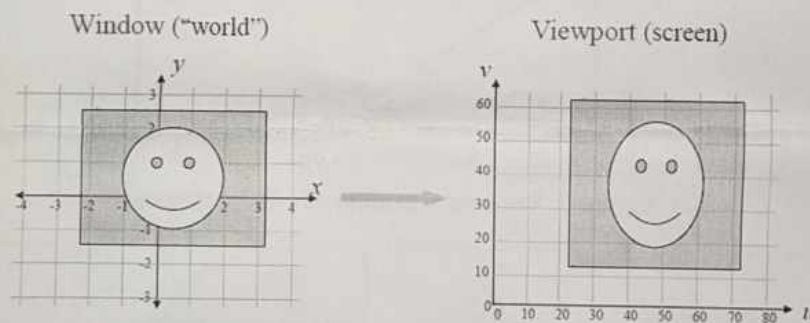


Figure 4: Transformation of a 2D object from world to screen coordinates

- a) Derive world-to-screen transform vector for a generic coordinate (x, y) . 5
- b) Suppose that $x_{min} = -3$, $y_{min} = -3$, $x_{max} = 2$ and $y_{max} = 1$ for the world coordinate system and $u_{min} = 30$, $v_{min} = 10$, $u_{max} = 80$ and $v_{max} = 30$ for the screen coordinate system. Simplify your vector obtained from the world-to-screen transform vector with the information. 5
- c) Analyze the term "Viewing Transformation" using a suitable figure. 2
6. a) Analyze the cause of peak response for RGB colors in our human visual system. 2
- b) Differentiate the terms with suitable figure: i) Foreshortening, ii) Vanishing Points, iii) View Confusion, and iv) Topological distortion. 6
- c) Demonstrate the Gouraud Surface Rendering Algorithm with suitable figure(s). 4
7. a) Figure 5 shows a line passing through the points $p_1 = (1, 3, 2)$ and $p_2 = (2, 4, 3)$. Translate the line to the origin by setting p_1 to $(0, 0, 0)$. Then rotate the line with $\theta = 45^\circ$ about y axis. 7

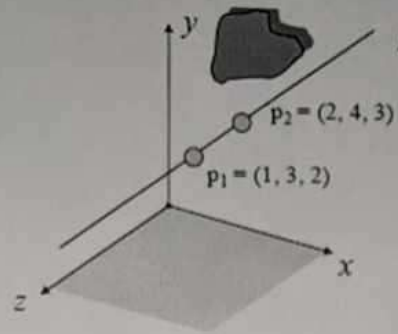


Figure 5: A line passing through p_1 and p_2 in 3D Cartesian coordinate system

- b) Why lighting is important for computer graphics? 2
 - c) Convert the RGB color model to YIQ color model. 3
- 8.
- a) Define the differences between Gouraud and Phong Surface Rendering. 3
 - b) A perspective transformation is determined by prescribing a center of projection and a view plane. In Figure 6, the object point P is located in world coordinates at (x, y, z) . The problem is to determine the image point coordinates $P/(x', y', z')$, as described in Figure 6. 9

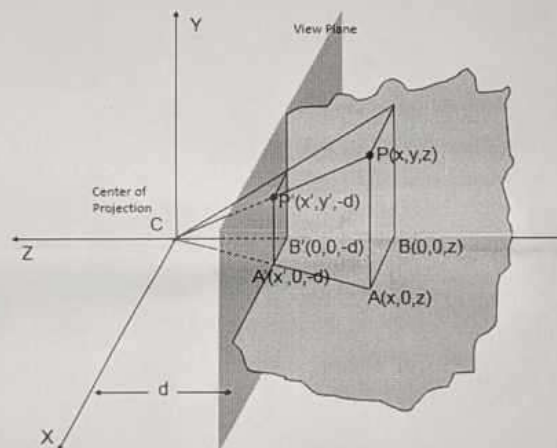


Figure 6: Perspective Projection
