

DBMS

2020-21

2(b)

Strong entity set can exist independently and has its own primary key.

Example: Bank with attributes live bank-id (PK) and name.

Weak entity set depends on a strong entity set for its existence. It does not have a primary key of its own. It uses a foreign key from the related strong entity, along with its own attributes, to form a composite key.

Example: Account related to a bank, with attributes account-number and balance.

Relationship between weak and strong entity:

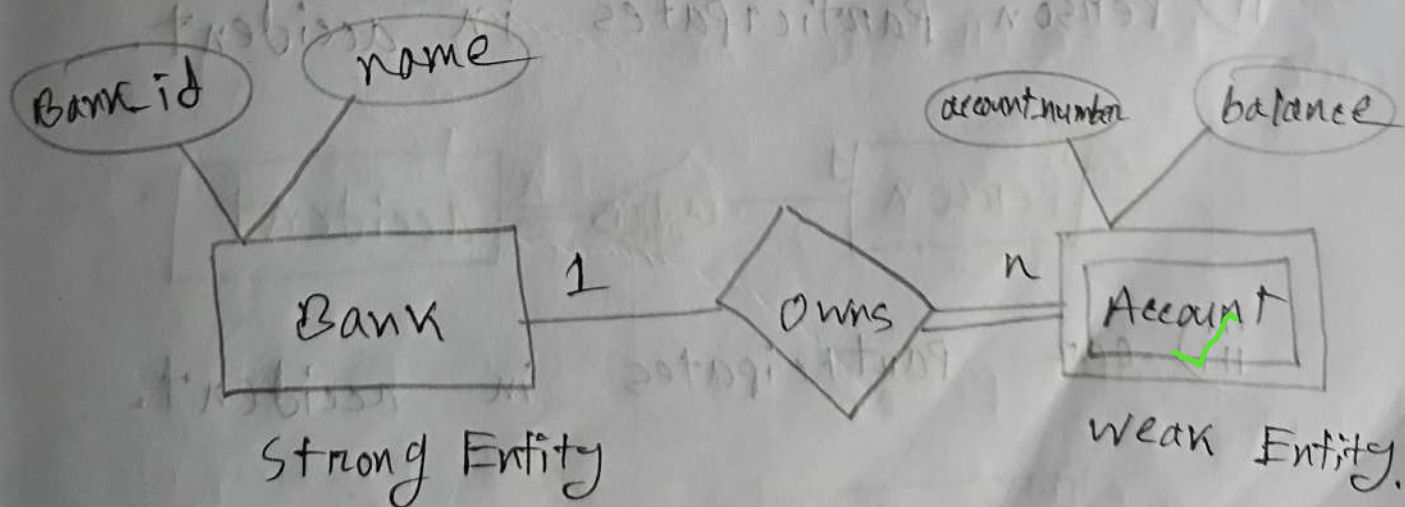
Entities: i) Bank (strong entity)
ii) Account (weak entity)

Attributes: Bank: Bank_id, name.

Account: account number, balance.

Relationships: i) Bank owns account.

ER Diagram:



2 (d)

Relationships:

- i) person owns car.
- ii) person participates in accident.
- iii) car participates in accident.

Cardinality notation and participation:

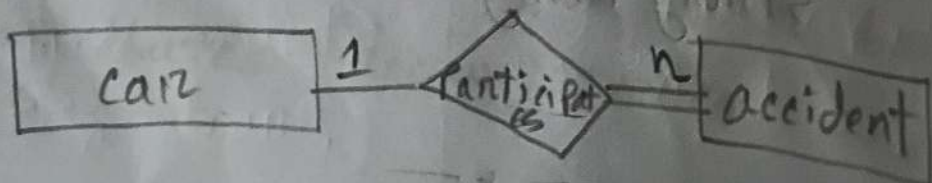
- i) person owns car.



- ii) person participates in accident.



- iii) car participates in accident.



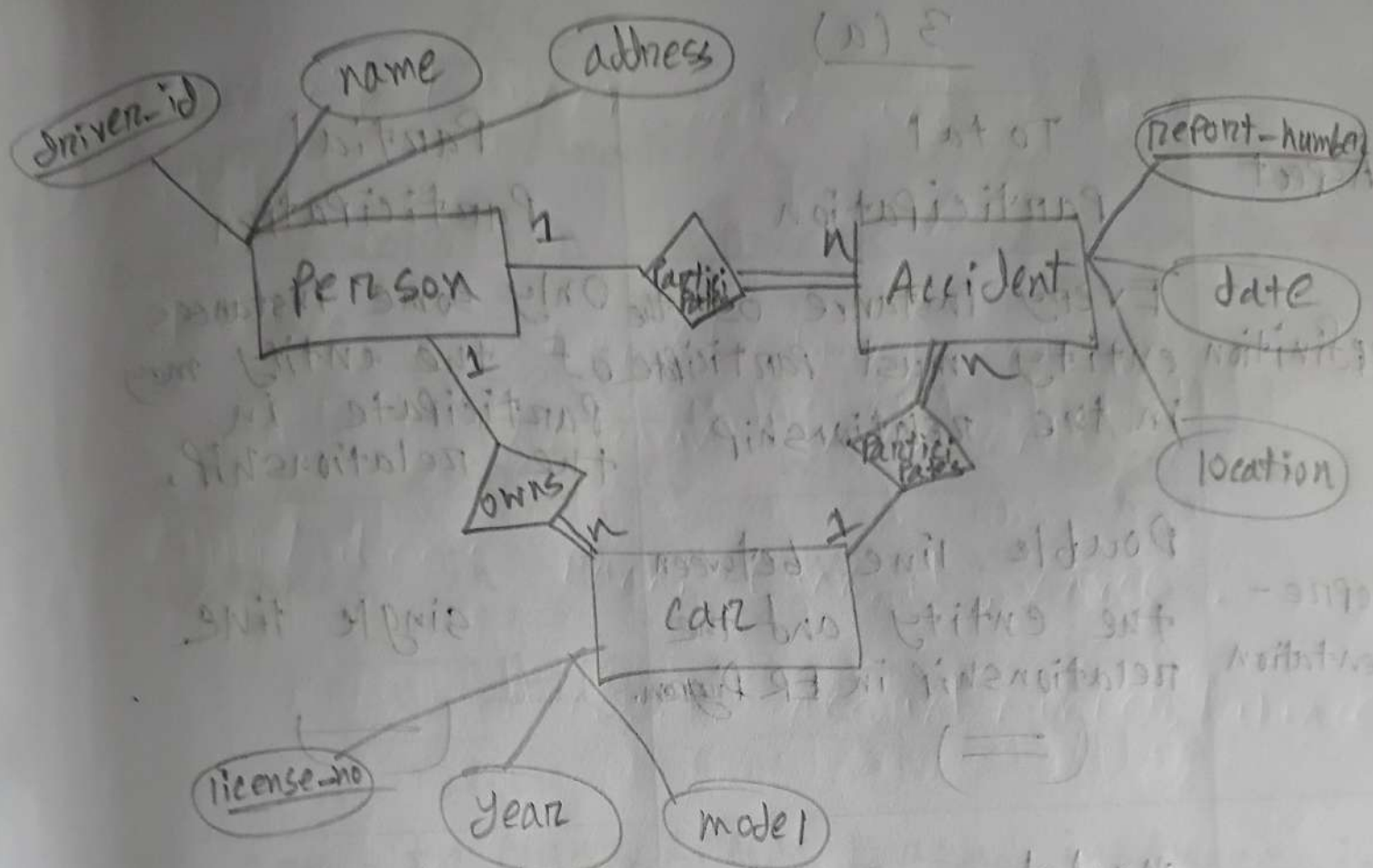


Fig: ER Diagram

3 (a)

Aspect	Total Participation	Partial Participation
Definition	Every instance of the entity must participate in the relationship	Only some instances of the entity may participate in the relationship.
Representation	Double line between the entity and the relationship in ER Diagram. (=)	single line. (—)
Requirement	Mandatory participation for all instances	Optional participation of some instances.
Use case	A "student" must be enrolled in one "course".	A "customer" may or may not have placed an "order".
Example	All "person" entities must own a "car".	Some "person" entities may participate in an "Accident".

i) Mapping cardinalities describe the type of association between two entities.

1) One-to-One (1:1): Each instance in A is associated with at most one instance in B, and vice versa.

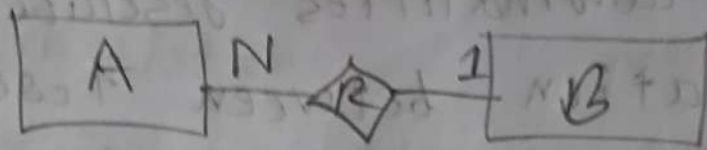


2) One-to-Many (1:N): Each instance in A can be associated with multiple instances in B, but each instance in B is associated with at most one instance in A.

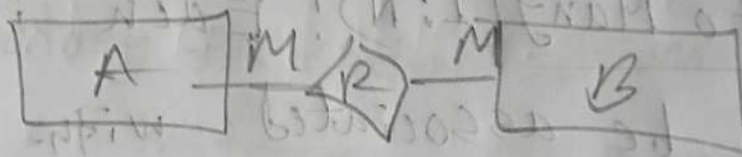


3) Many-to-One (N:1): Each instance in B can be associated with multiple instances in A, but each instance in A is associated with at most one instance in B.

instance in B.



4) Mang-to-Mang (M:M): Each instance in A can be associated with multiple instances in B, and each instance in B can be associated with multiple instances in A.



i)

1) one-to-one (1:1): Either the primary key of A or B can be used as the primary key for R.

2) one-to-many (1:N): The primary key of B and a reference to the primary key of A can define R.

3) Many-to-one (N:1): The primary key of A and a reference to the primary key of B can define R.

4) Many-to-Many (M:M): The primary key for R would be a composite key consisting of both the primary keys from A and B.

iii) combining tables can depend on the mapping cardinality:

1) one-to-one: tables A and B can often be combined into a single table, as there is a unique pairing.

2) one-to-many: Include a foreign key in the B table referencing A, but it is generally better to keep them separate due to the one-to-many relationship.

3) Many-to-one (N:1) Include a foreign key in the A table referencing B, while keeping them separate.

4) Many-to-many (M:M): use a separate associative (Junction) table to represent R, with foreign keys referencing both A and B tables.

→
4(a)

Entities

i) Book

ii) Library

iii) Copy

iv) Borrower

~~v) Loan~~

Attributes

Book: ISBN, Title, Authors.

Library: Name, Type.

copy: copy-number, Price, loan-date.

Borrower: ID, Name.

~~Loan: Loan-Date,~~

Relationships

i) Library owns copy.

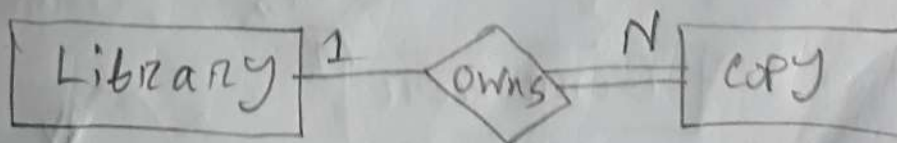
ii) ~~Main~~ Library manages Library.

iii) Borrower borrows a copy of book.

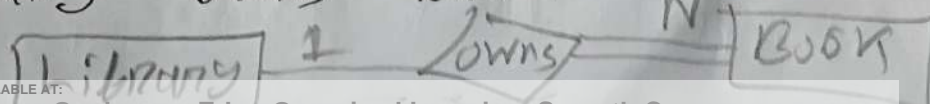
iv) ~~Borrower takes loan~~

cardinality ratio and participation

i) Library owns copy.



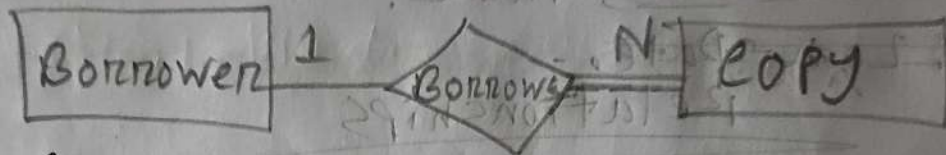
ii) Library owns Book



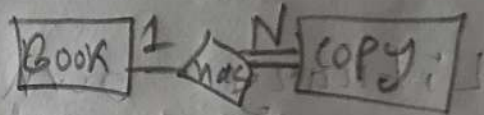
iii) Library manages Library



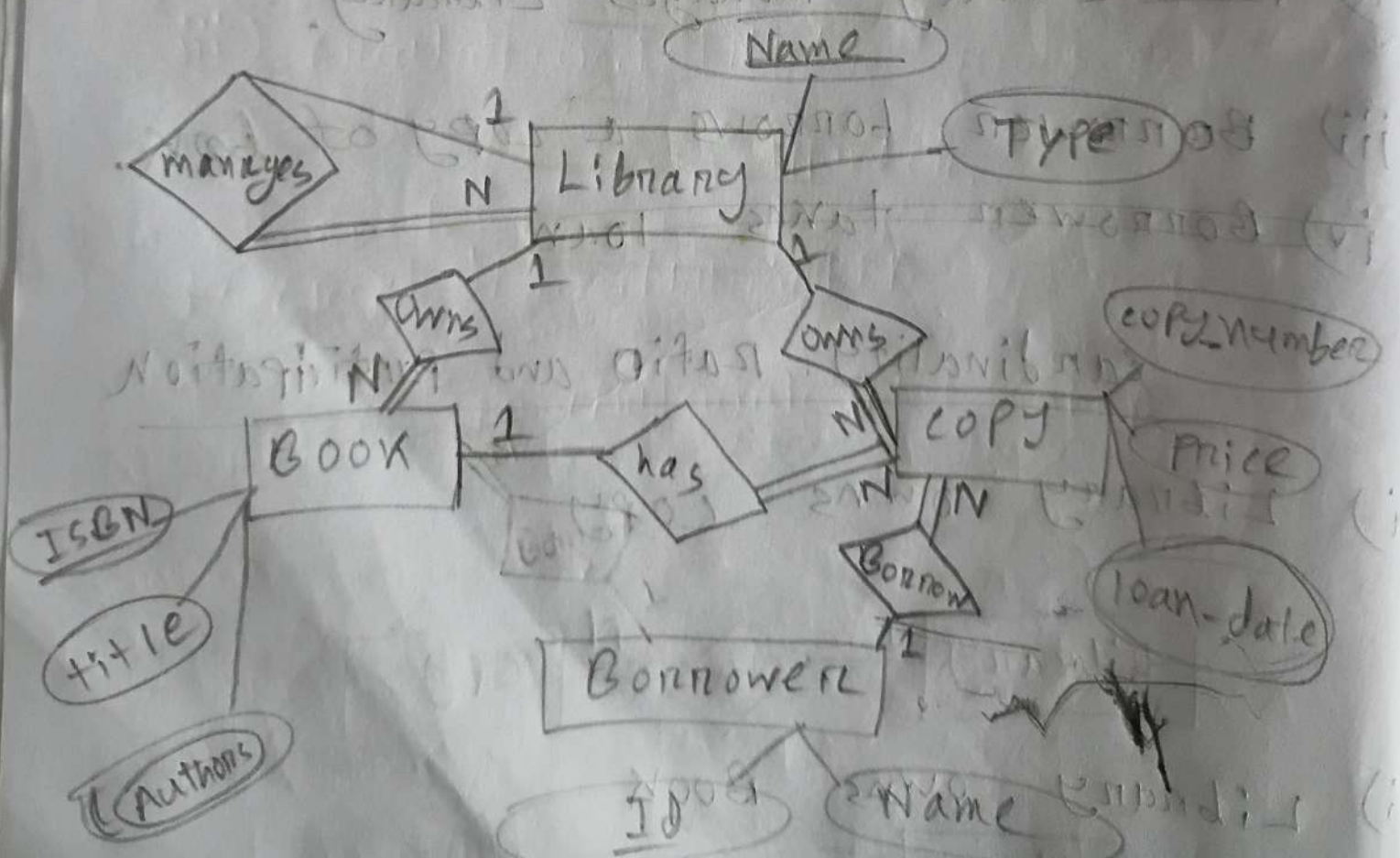
iv) Borrower Borrows Copy



~~Book~~ has copy



E.R Diagram



4(b)

Entities:

- i) Lot
- ii) Production Units
- iii) Raw Materials
- ~~iv)~~

Attributes in Schema:

- i) Lot: LotNumber, CreationDate, Cost of Material
- ii) Production Units: Unit ID, InstallDate, Product type
- iii) Raw Materials: Material ID, Type, Unit Cost

Relationships:

- iv) Includes: Lot number, Unit ID
- v) Created from: Lot Number, Material ID, Units

Referential Integrity constraints:

Primary keys: Each table has a primary key to uniquely identify each row.

Foreign keys:

i) Includes LotNumber references Lot, LotNumber.

ii) Includes UnitID references

ProductionUnits, UnitID.

iii) Created From LotNumber references

Lot, LotNumber.

5(b):[i]

When a tuple in the manager table is deleted, the ON DELETE CASCADE rule ensures that all rows referencing the deleted tuple through the manager_name foreign key are also deleted. This deletion is recursive, that means if those rows are managers for other employees then those rows are also deleted. The cascading continues until no dependent rows remain. It is like a chain reaction of deletions.

5(b) [ii]:

What will happen if RESTRICT is used instead of cascade?

If RESTRICT is used instead of CASCADE, the deletion of a tuple in the manager table will be prevented if any rows reference the tuple through the manager_name foreign key. This RESTRICT option ensures that a row can't be deleted if it is referenced by another row. It protects referential integrity and preventing accidental deletion.

2019-2020

3(a)

Entities

i) Customer

ii) Order

iii) Book

iv) Review

v) Payment.

Attributes

i) Customer: CustomerID, Name, Email, Phone, Address.

ii) Order: OrderID, OrderDate, Total Amount.

iii) Book: BookID, Title, Author, Price, Stock.

iv) Review: ReviewID, Rating, Review Date.

v) Payment: PaymentID, PaymentDate, Amount, Payment Method.

Relationships

i) customer places order.

ii) customer makes payment.

iii) customer writes review

iv) order contains Book

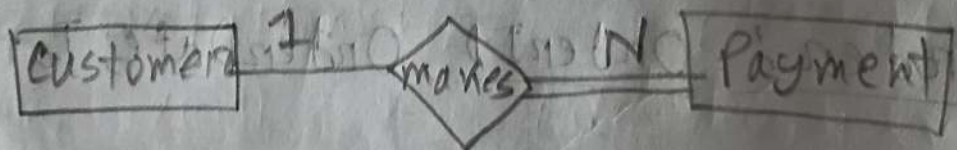
v) Book has review

Participation Cardinality Ratio and ~~Relationship~~

i) customer places order.



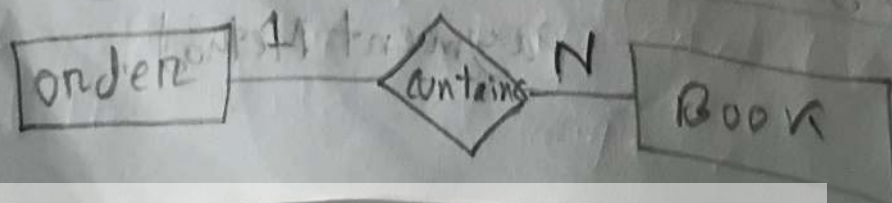
ii) customer makes payment.



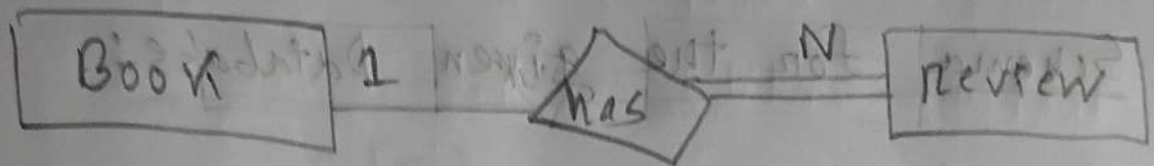
iii) customer writes review



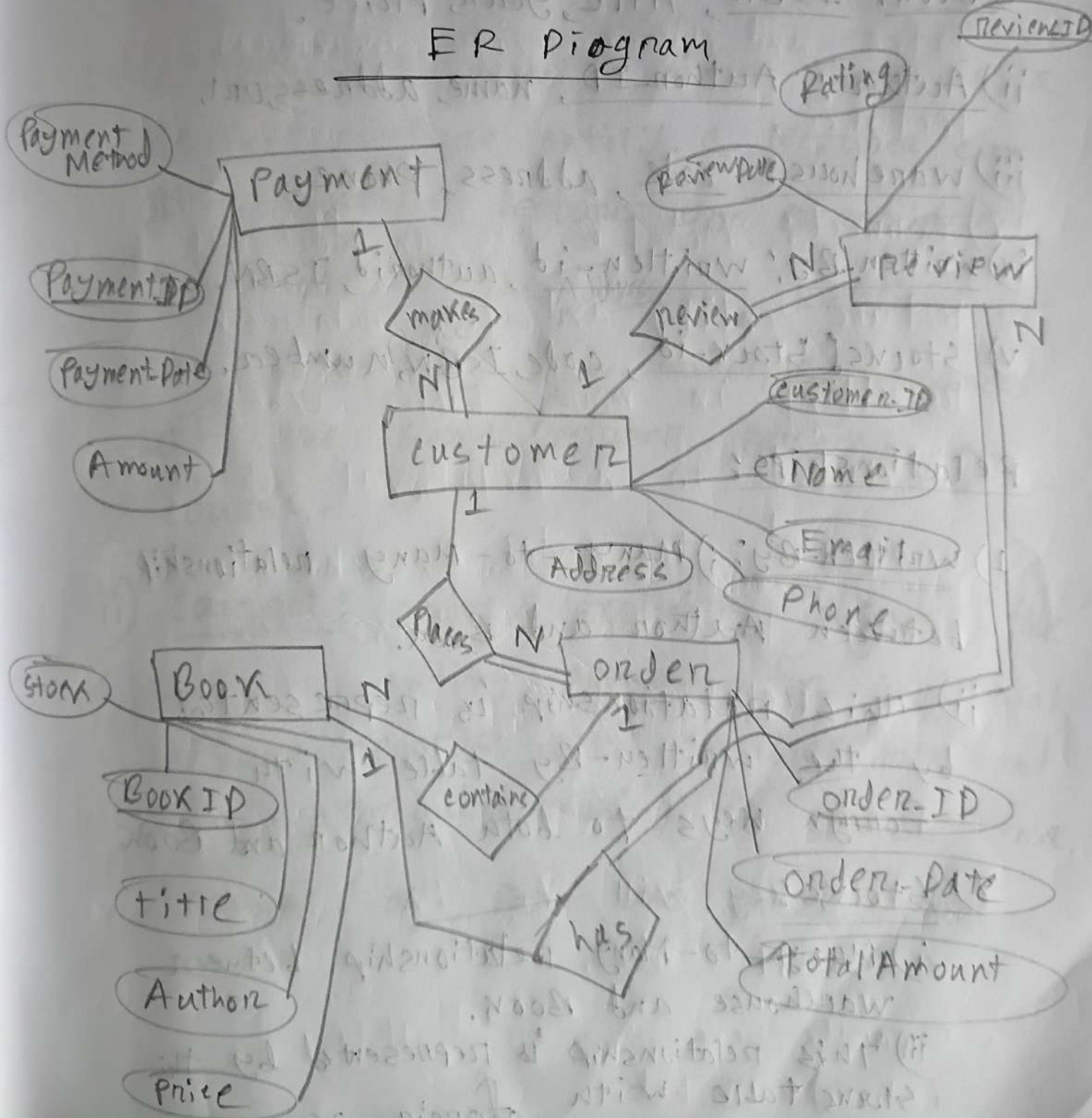
iv) order contains Book



v) BOOK has review.



ER Diagram



3(c)

Schema for the given Database:

- i) Book: ISBN, title, year, Price.
- ii) Author: Author-ID, name, address, var.
- iii) Warehouse: code, address, phone.
- iv) written-By: written-id, authorid, ISBN.
- v) Stocks: Stock-id, code, ISBN, number.

Relationships:

- 1) written-By:
 - i) Many-to-Many relationship between Author and Book.
 - ii) This relationship is represented by the written-By table with foreign keys to both Author and Book.
- 2) Stocks:
 - i) Many-to-Many relationship between warehouse and Book.
 - ii) This relationship is represented by the Stocks table with foreign keys

to both warehouse and Book. (iii)

4(a)

i) connect: In Model B, Since there is a distinct lecture entity, a lecturer can give multiple lectures ~~for~~ on a course.


In Model A, the teaches relationship can potentially allow multiple instances of the same lecturer teaching a course.

ii) connect: Model B explicitly includes the lecture entity, allowing for individual lecture records with possible date and time attributes, making it suitable for tracking all past and present lectures.

iii) Connect: Model A lacks a separate lecture entity, so there is no direct way to associate specific dates and times with individual lectures.

iv) Connect: Model B has an additional lecture entity and two relationships, resulting in more tables when converted to a relational schema compared to model A, which only has two entities and one relationship.

* Foreign key will be in many 1N side.

* Separate schema for double valued attributes. 

4(c)

A composite attribute is an attribute that can be broken down into smaller sub-parts, each with independent meaning.

here, `createdDate` could be a composite attribute because it may contain parts such as day, month and year.

4(d)

Data redundancy occurs when the same piece of information is stored in multiple places, leading to inconsistency.

In this ER diagram, a redundancy issue might exist between Raw Materials and Production Units. Specifically, attributes like unit of measurement could be duplicated across these entities if they are being managed in both places.

17-18

4(b)

Entities

- i) Employee
- ii) Department
- iii) child

Attributes

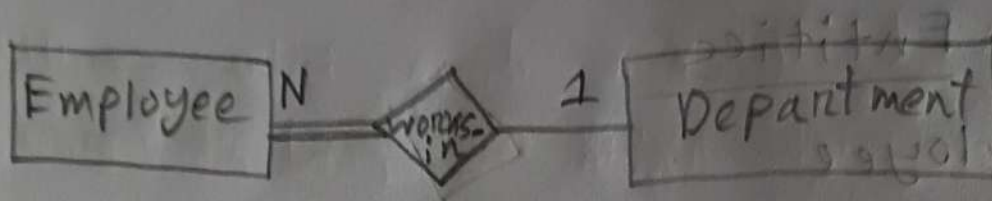
- i) Employee: SSN, name, salary, phone
- ii) Department: dno, dname, budget.
- iii) child: name, SSN, age.

Relationship

- i) Employee works in Department.
- ii) Employee manages Department.
- iii) Employee has child.

Cardinality Ratio and Participation

i) Employee works in Department.



ii) Employee manages Department.



iii) Employee has child.



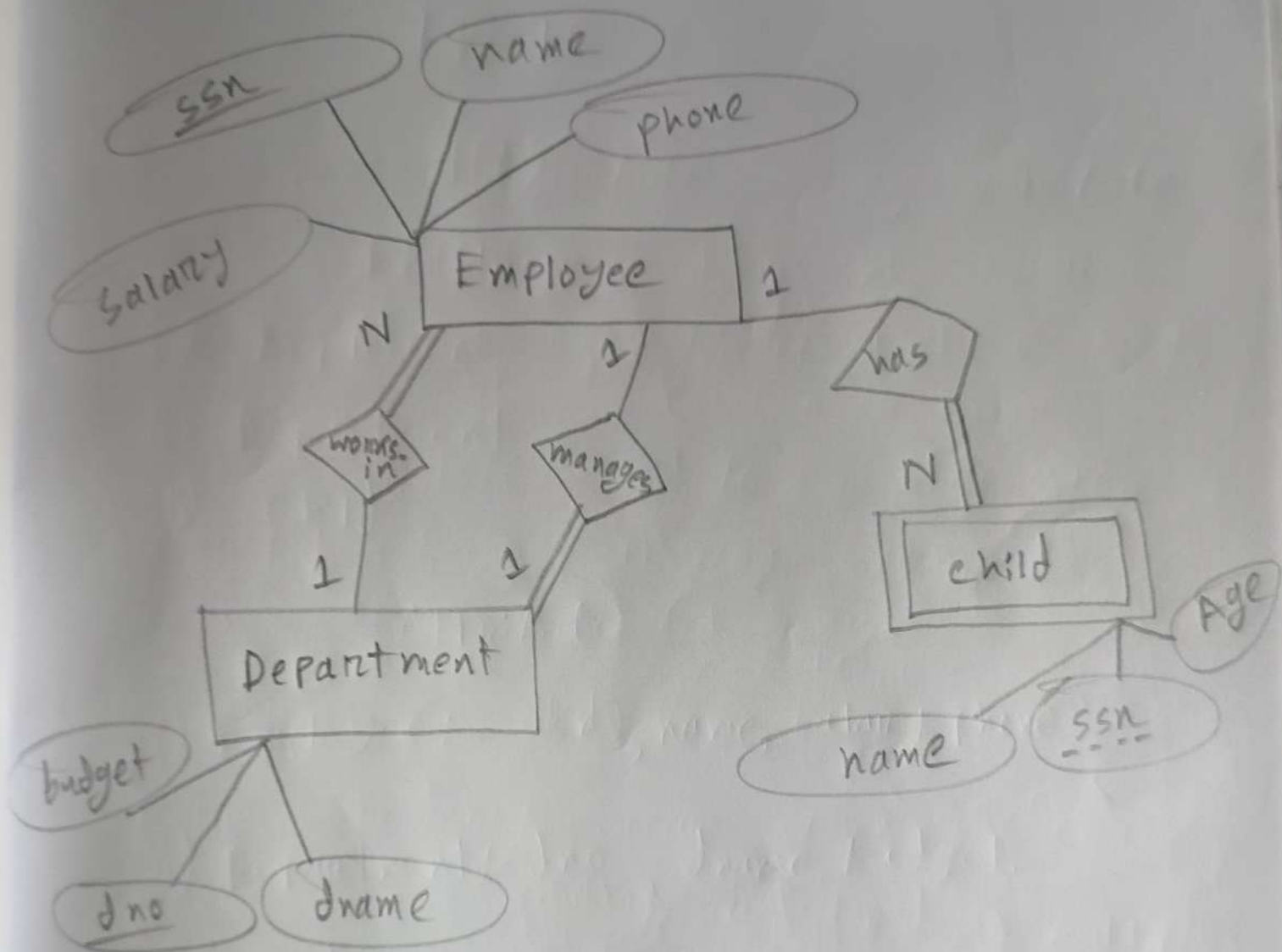


Fig: ER Diagram.

① what is database management system (DBMS)
List and explain four reasons why DBMS is used instead of file processing system?

A Database management system (DBMS) is software that enables the creation, management and manipulation of databases, allowing for efficient data storage and retrieval.

For reasons to use DBMS instead of file processing system:-

i) Reduced Data Redundancy: DBMS centralizes data storage, minimizing duplication across multiple files, which helps maintain consistency.

ii) Enhanced Data Integrity: DBMS enforces data integrity constraints, ensuring that data remains accurate and consistent, whereas file systems may allow errors and anomalies.

- iii) Improved Data Access: DBMS supports complex queries and provides efficient data retrieval through languages like, SQL, while file processing systems require more manual coding.
- iv) Stronger security: DBMS includes robust security features, such as user authentication and access controls, to protect sensitive data, in contrast to the limited security of file processing systems.

② What is the difference between a candidate key, a primary key, a composite key, a super key, a foreign key? What considerations might influence the choice of a primary key?

Key Type	Description	Example
candidate key	A set of attributes that can uniquely identify a record. Multiple candidate keys can exist.	Employee ID, Email

Subject: _____

Date: _____

primary key	A selected candidate key that uniquely identifies records. It must be unique and non-null.	Employee ID (chosen as primary)
composite key	A key that consists of two or more attributes used together to uniquely identify a record	(First Name, Last Name)
super key	A set one or more attributes that can uniquely identify records. It can include extra attributes.	(Employee ID, Email)
Foreign key	An attribute in one table that links to the primary key of another table, establishing a relationship	Department ID in Employee table linking to Department table.

considerations for choosing a primary key:-

- i) uniqueness: must uniquely identify each record.
- ii) stability: should not change frequently; stable values are preferable.

Subject:

Date:

iii) Simplicity: preferably a single attributes;
simpler keys are easier to manage.

iv) Non-nullability: must not allow null values
to ensure every record is
identifiable.

③ How many attributes you can use a table?
Is there any limitations? why you need to split
the attributes in multiple tables?

The number of attributes (columns) you can
use in a table depends on the DBMS. For
example:

MS SQL: UP to 4096 columns.

PostgreSQL: UP to 1,600 columns.

SQL Server: UP to 1,024 columns.

Limitations:

i) performance: more attributes can slow down
queries and increase resource usage.

Subject:

Date:

ii) Complexity: Managing tables with ~~one~~ many attributes can become cumbersome and error-prone.

Reasons to split attributes into multiple tables:

i) Normalization: Reduces data redundancy and enhances data integrity.

ii) Manageability: Smaller tables are easier to understand, maintain, and query.

iii) Efficiency: Improves performance by reducing the amount of data processed during queries.

iv) Flexibility: Easier to manage changes and updates, especially in large datasets.

Extra:

Alternate
Key

A unique identifier
that is not the
primary key

Email in an
Employees
table.

Subject: _____

Date: _____

④ What are the functions of DDL and DML in database language? How they differ from each other?

Functions:

DDL (Data Definition Language):

- i) Defines and modifies database structures (e.g., creating, altering, or dropping tables).
- ii) commands includes CREATE, ALTER, DROP, ~~TRUNCATE~~.

DML (Data Manipulation Language):

- i) manages and manipulates data within those structures.
- ii) commands includes ~~SELECT~~, INSERT, UPDATE, DELETE, ~~TRUNCATE~~.

Differences:

- i) purpose: DDL focuses on schema design, while DML focuses on data handling.

Subject:

Date:

ii) Impact: DDL changes the database structure, while DML changes the data within the structure.

* Extra:

DQL (Data Query Language): SELECT.

TCL (Transaction Control Language): COMMIT, Rollback.

DCL (Data Control Language): GRANT, REVOKE.

⑤ Keyword queries in web search are quite different from database queries. List key differences between the two, in terms of way the queries are specified, and in terms of what is the result of a query.

Aspect	Web Search Queries	Database Queries
Specification	Natural language or keywords; less structured.	Structured language (e.g., SQL); precise syntax.

Subject:

Date:

Results	Ranked list of relevant web pages; often includes snippets and metadata.	Structured data (tables) with specific fields and records.
Flexibility	Allows for ambiguity and variations in phar phrasing.	Requires exact matches or defined criteria.
Context	Contextual relevance based on algorithms (e.g., SEO)	Results based on defined relationships and data integrity.

⑥ What is database trigger? Discuss the strengths and weakness of the trigger mechanism?

A database trigger is a predefined set of instructions that automatically executes in response to specific events (like insertions, updates, or deletions) on a table or view.

Strengths:

- i) Automation: Triggers automate repetitive tasks, reducing the need for manual intervention.
- ii) Data Integrity: Enforce business rules and maintain data consistency at the database level.
- iii) Auditing: Facilitate tracking changes and maintaining historical records for compliance.

Weaknesses:

- i) Complexity: Can complicate database architecture, making it harder to manage.
- ii) Performance Impact: May introduce overhead, potentially slowing down operations.
- iii) Debugging Difficulty: Issues can be challenging to identify and resolve since triggers run automatically in the background.

Subject: _____

Date: _____

key

Reg id	Sec	name	age	Email-id	phone-no
100	A	Fahon	20		
101	A	Hossan	22		
102	B	Rabhi	20		
103	B	Hossan	21		
104	B	Rana	21		
105	A	Nayon	23		

① Candidate key: একটি key uniquely identify identify করে। null ভায়ে থাকতে পারে। but same value থাকতে পারে। এটি minimal set.

Ex: Reg-id, Email-id, phone-no

② Super key: একটি single or multiple keys-এর যেকোনো একটি uniquely identify করে।
candidate keys are a subset of super keys.
multiple keys দ্বারা তৈরি হতে পারে candidate keys
তারা একটি unique set।

Exs Reg-id, Email-id, phone-no (Reg-id + Email-id),

Subject:

Date:

(Reg-id + Email-id + phone-no), (Reg-id + sec),
(Email-id + sec + name), (phone-no + sec + name, +
age), etc.

(ii) primary key: এটি Not null and must be unique
হওয়া উচিত।

Example: Reg-id

SK → CK → PK → FK

(iv) Alternate key: primary key ব্যতীত এটি
সব candidate keys এর Alternate key.

EX: Email-id, phone-no.

(v)

section-id	sec-name
1	A
2	B
3	C
4	A

ID	name	age	section-id
1	F	20	2
2	h	21	1
3	r	20	1
4	p	22	3

Foreign key: একটি table এর primary key অন্য একটি
table এর Reference key হিসেবে থাকলে তাকে Foreign
key বলে। FK এর মান null হতে পারে। Same থাকতে পারে।

Subject: _____

Date: _____

ফরেনাইন কী বা values যুক্ত কোনও
table ও অন্যতর table ও foreign key
যুক্ত থাকে।

Ex: section-id

(vi) Composite key: একটি table তে এক
অথবা একাধিক primary keys যুক্ত হলে composite key
হিসেবে কাজ করে। এতে composite - primary key - বলা হয়।

ID	Name	Roll
1	F	101
2	A	102
3	F	103

Ex: ID + Roll

(7) Let $R = (A, B, C, D)$, if AB and BD can
uniquely identify a tuple in a relation R(R)
separately, how many super keys, candidate
keys and primary keys are there?

$R = (M, N, P, S, T)$, if MN and NS —

Subject: _____

Date: _____

For $R = (A, B, C, D)$:

i) superkeys: ^{multiple} $(AB, ABC, ABD, BD, BDC, BDA, ABCD)$

ii) candidate keys: 2 (AB, BD)

iii) primary keys: 1 (can be either AB or BD)

For $R = (M, N, P, S, T)$:

i) super keys: ^{multiple} $(MN, MNP, MNS, MNT, MNPS, MNPT, MNSP, MNSPT, NS, NSP, NSM, NST, NSPT, NSMP, NSMT, NSMPT \text{ etc})$

ii) candidate keys: 2 (MN, NS)

iii) Primary keys: 1 (can be either MN or NS)

Subject: _____

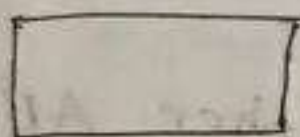
Date: _____

Entity Relationship Diagram

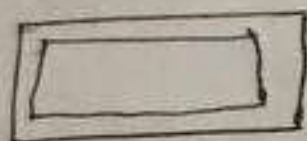
E-R Diagram

HP

Symbols of ER Diagram:



→ Entity



→ Weak Entity



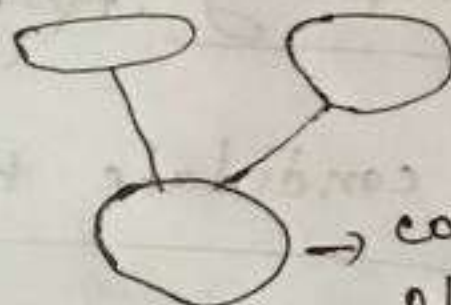
→ Attributes



→ Multivalued
Attributes



→ Relationship



→ composite
Attributes



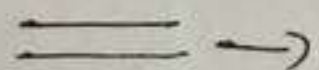
→ Derived
attributes



→ Key.
Attributes



→ Links to
entity sets



→ total
participation



→ weak
Relationship

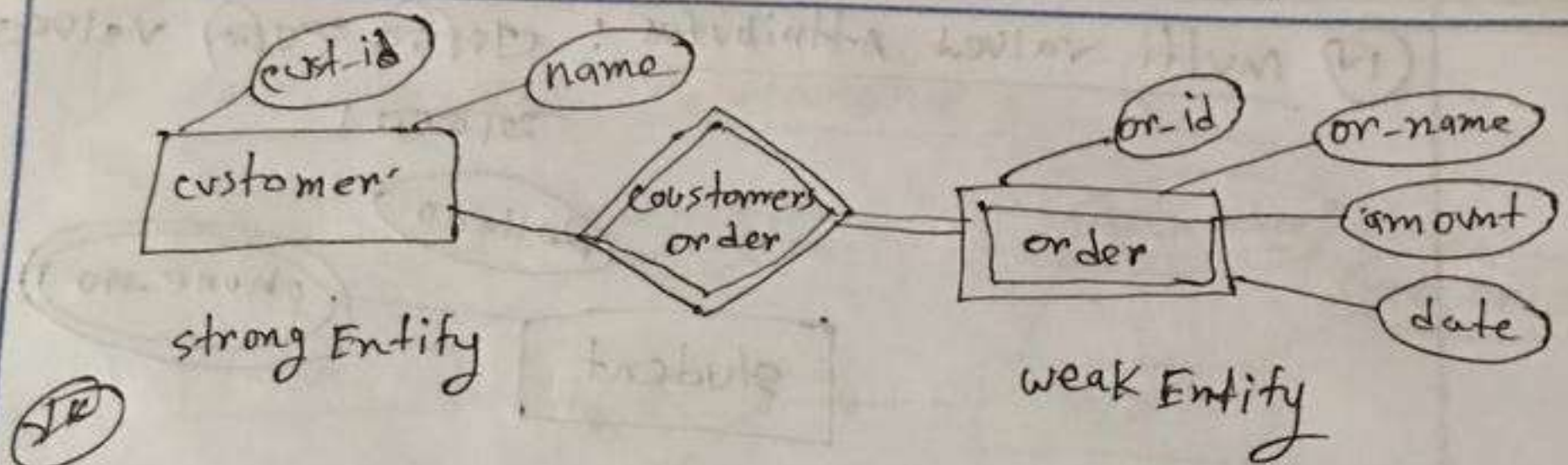
LP

① strong Entity: primary key থাকবে।

weak Entity: primary key থাকবে না ওহা।
ওহা একটি Entity এর উপর
নির্ভর করে।

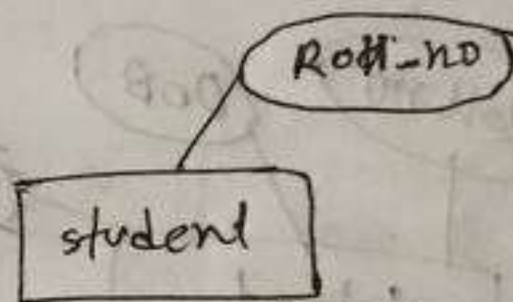
Subject: _____

Date: _____

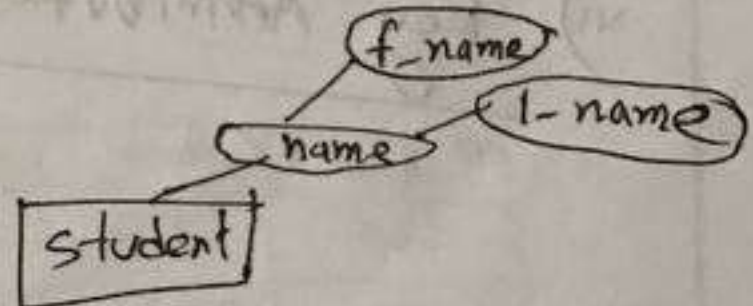


(i)

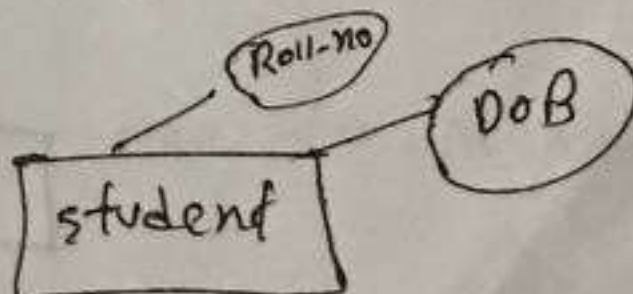
i) Simple Attributes : ऐसे Attributes हैं जो केवल एक (एक) या एक Attributes का ही रूप लेते हैं।
जैसे Simple Attributes हैं।



ii) Composite Attributes : ऐसे Attributes हैं जो दो या दो से अधिक (दो) या एक Attributes का ही रूप लेते हैं।



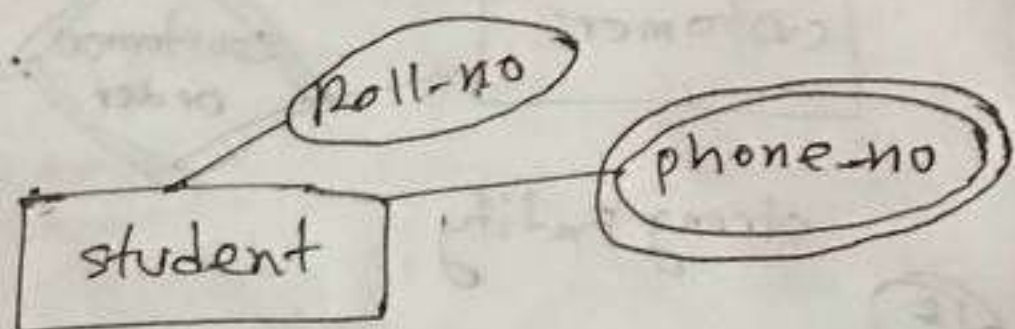
iii) single-valued Attributes : ऐसे Attributes हैं जो केवल एक (एक) या एक value लेते हैं।



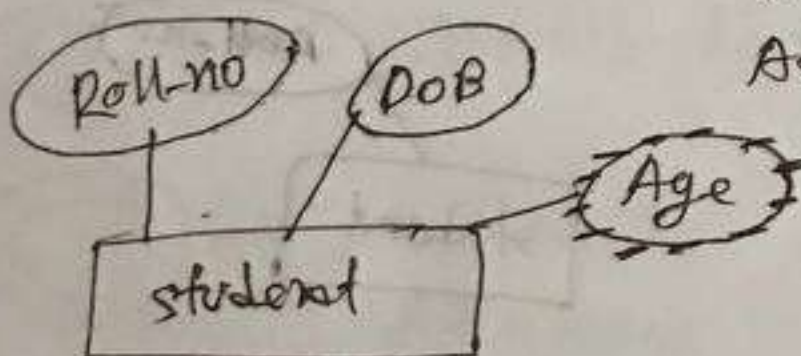
Subject: _____

Date: _____

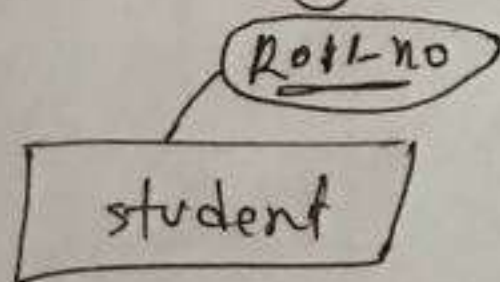
(iv) Multi-valued Attributes: একটি একটি values
হতে পারে।



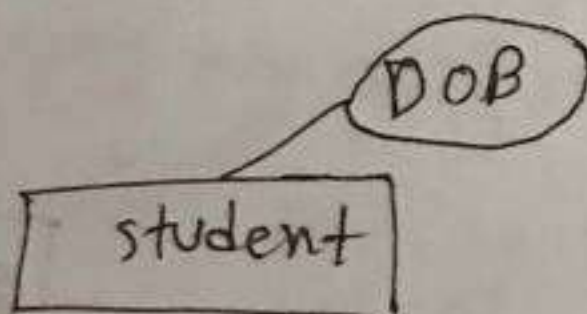
(v) Derived Attributes: যখন Attributes এর value
অন্য Attributes থেকে
গণনা করা হয় তখনই Derived
Attributes.



(vi) Key Attributes: primary key,



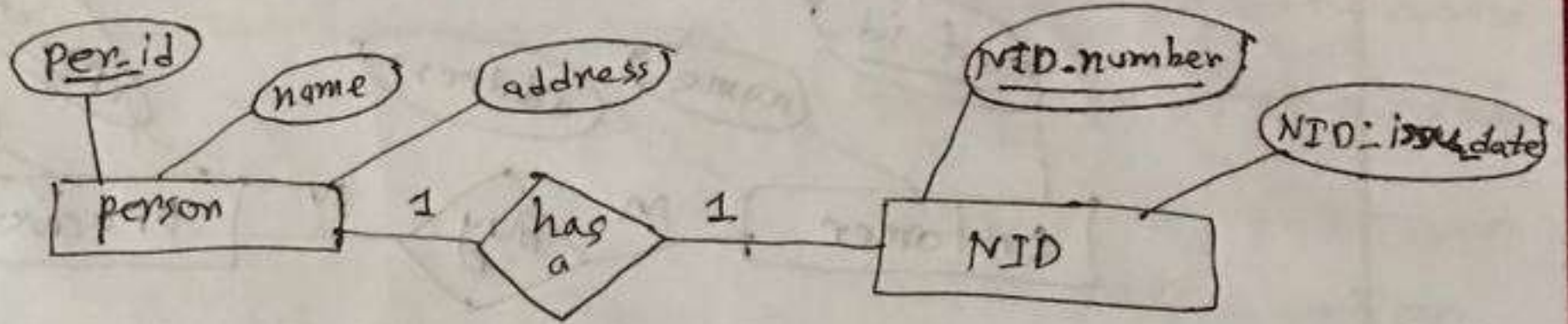
(vii) Stored Attributes: যা সব fixed.



Subject: _____

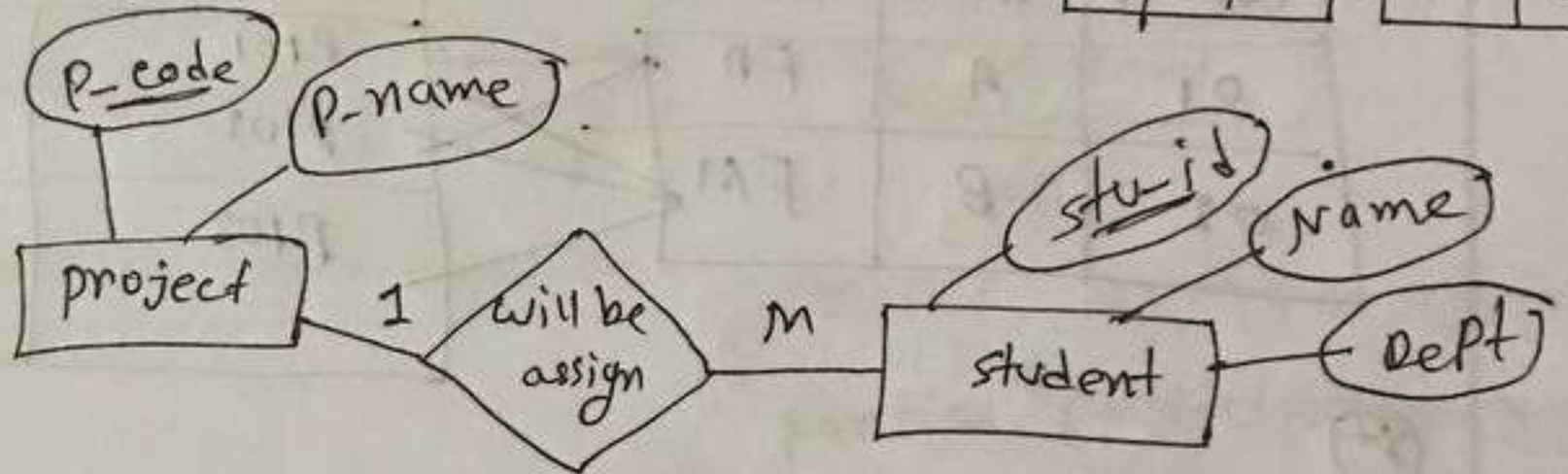
Date: _____

(i) one to one Relationship:



(ii) one to many Relationship:

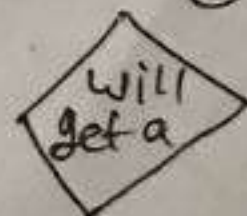
P-id	na	add	NID-n	NID-iss
01	A	FA	101	25
02	B	FB	102	26



M তঃ কয়জন N দিলেও প্রযোজ্য।

P-code	P-name	stu-id	Name	dept
01	A	101	FA	CSE
02	B	102	FB	EEB
		103	Fc	ME
		104	FD	CHE

(iii) Many to one : one to many তা উল্টো।

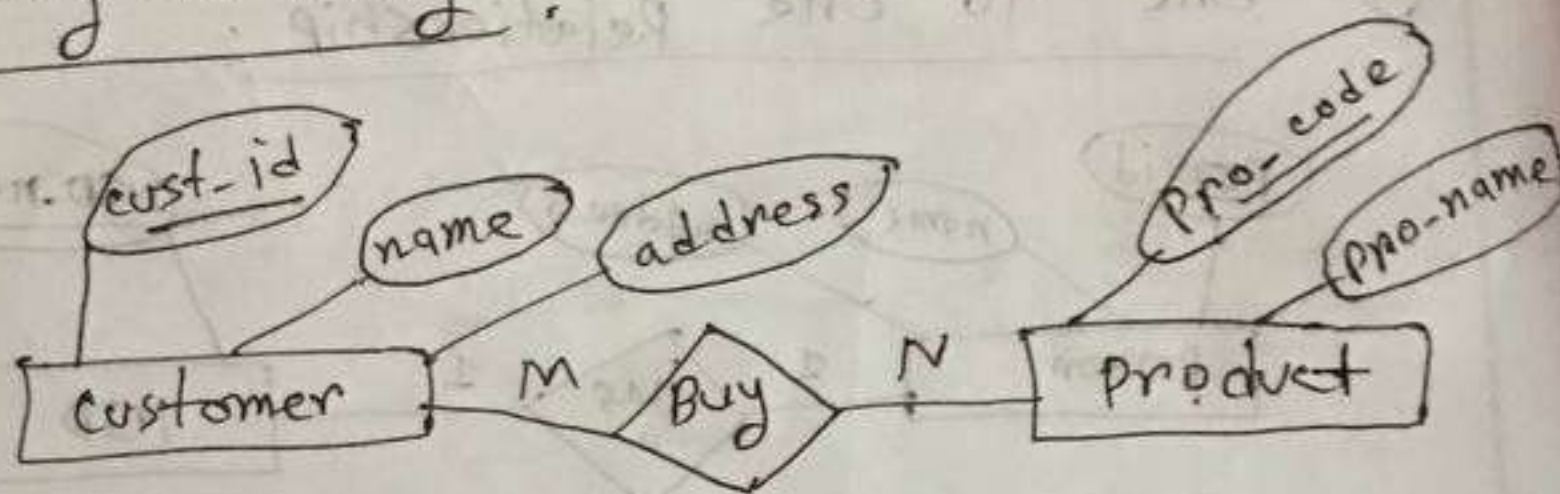


M তঃ কয়জন N দিলেও প্রযোজ্য।

Subject: _____

Date: _____

iv) many to many :



cust-id	name	address
01	A	FD
02	B	FM

pro-code	pro-name
P101	AM
P102	BM
P103	CN

87

i) Unary : 1 to 1 Entity with Degree 1.

ii) Binary : 2 to 2 Entity with Degree 2.

iii) Ternary : 3 to 3 Entity with Degree 3.

iv) N-ary : n to n Entity with Degree n.

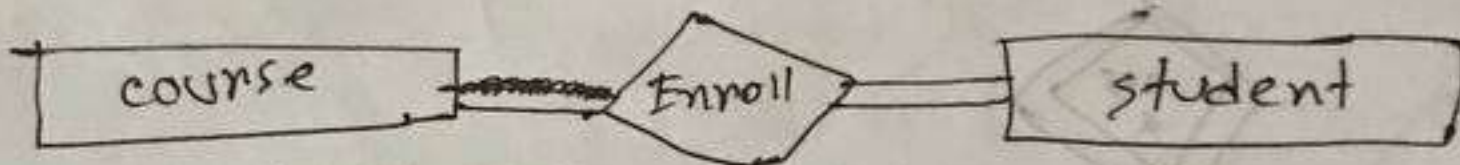
Subject: _____

Date: _____

②

i) Total participation:

student entity course
entity or चीज निर्दिष्ट
student का फिर एत
total participation
एत

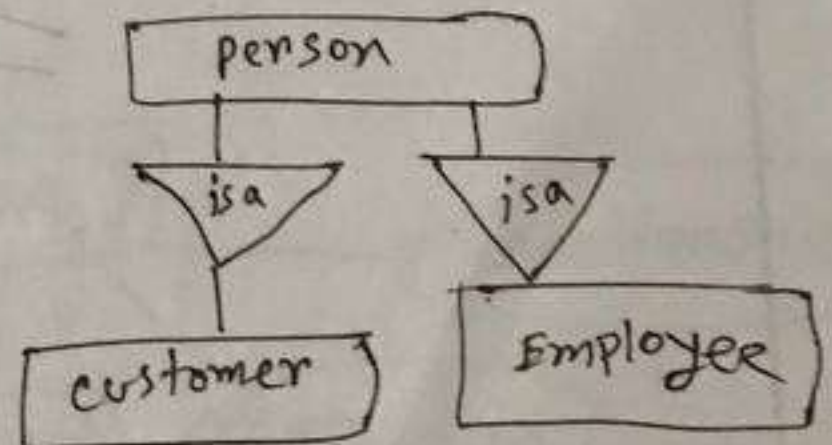


ii) Partial participation:

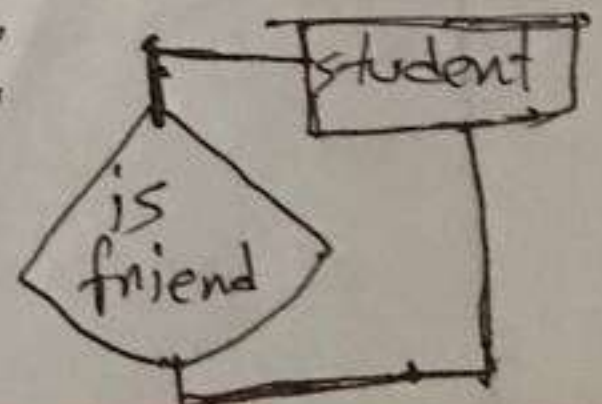
course का फिर एत
partial participation एत



③ In a relationship:

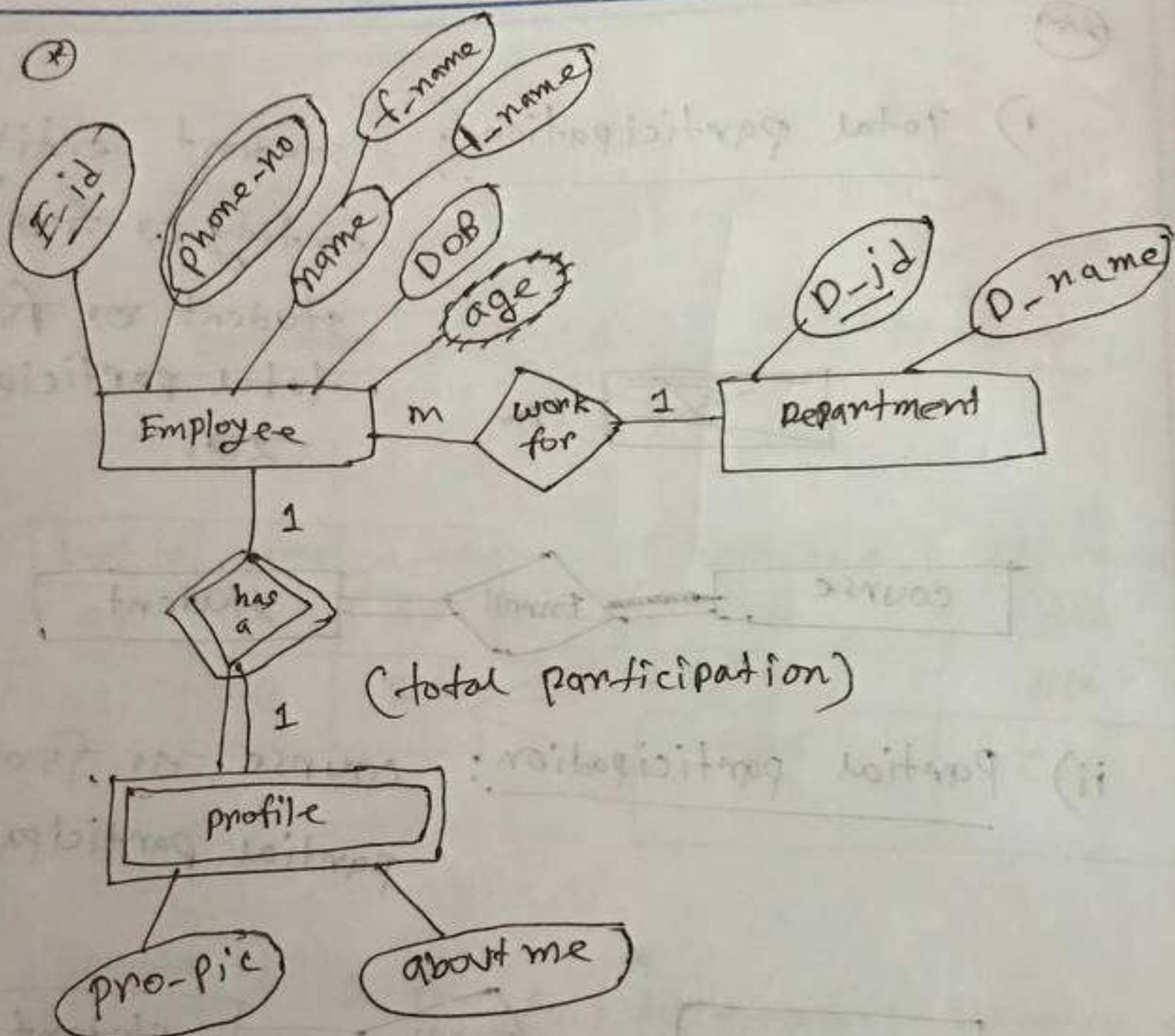


④ Recursive / self / unary Relationship:



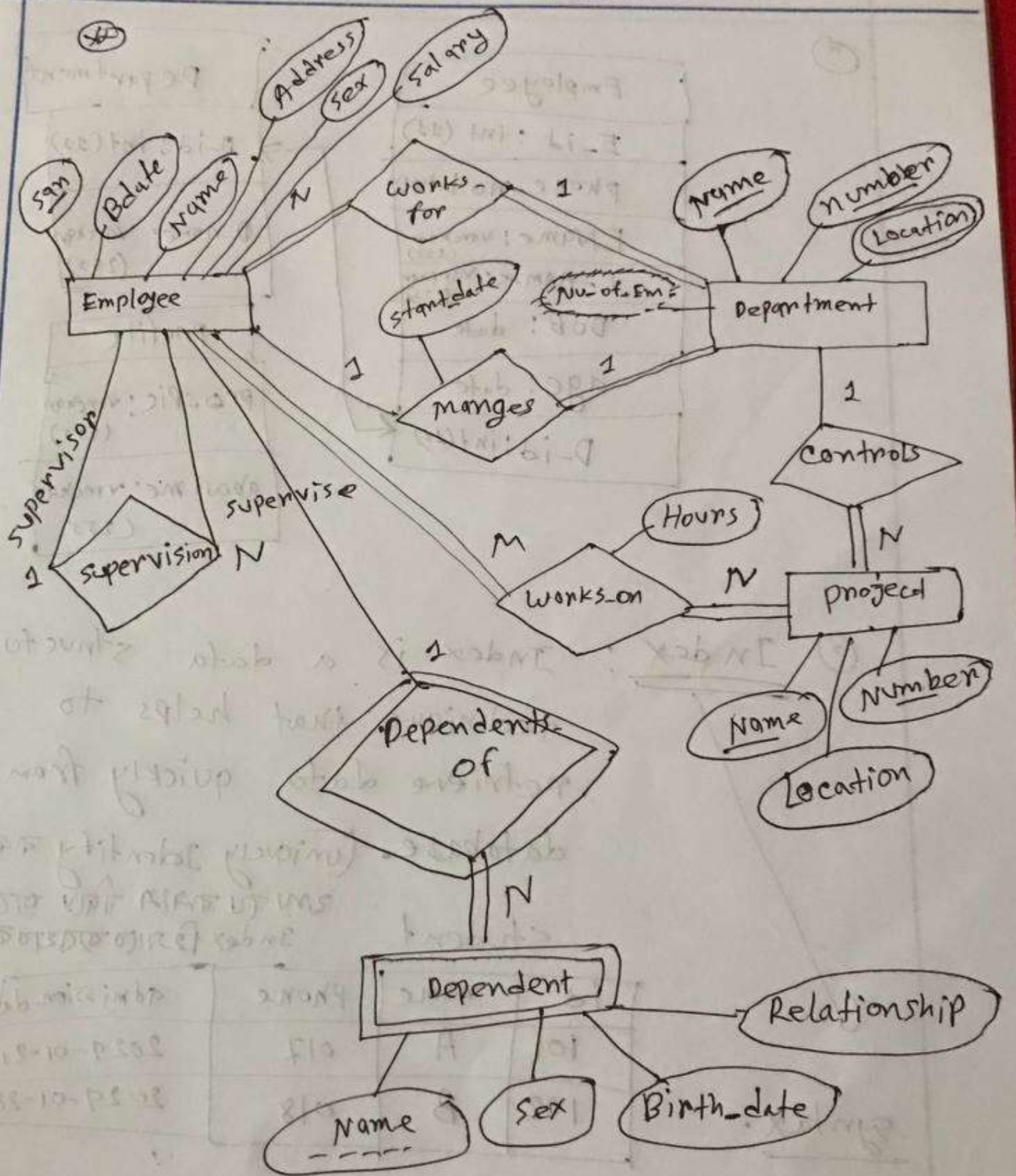
Subject: _____

Date: _____



E-R Diagram

Subject: _____
Date: _____

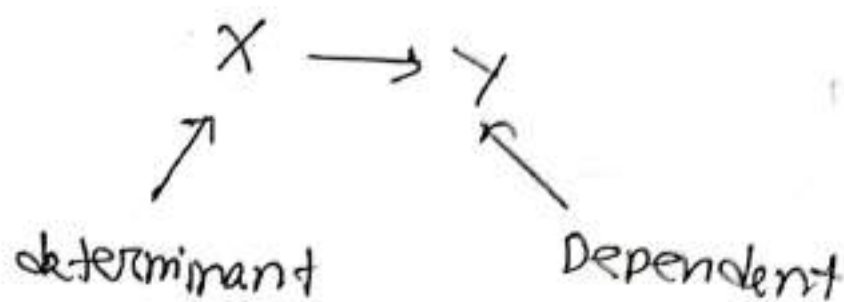


ER Diagram

Functional Dependency (FD)

The functional dependency is a relationship that exists between two attributes.

It typically exists between the primary key and non-key attribute within a table.



→ It is a tool for normalization

Advantage

→ Through the identification, and removal of redundant or unneeded data.

→ By guaranteeing that data is correct and consistent.

* Describe Data is dependent on FD,

FD is not dependent/on Data.

explain:

FD can exist independently, while data cannot exist or be meaningful without FD.

Imagine FD is a rule or Function and Data is input.

* FD: A Function $y = 2x + 3$

* Data: the value of x or input

FD has meaning the relation between x and y but the data (1, 2, 3) are meaningless.

FD is independent.

Data is dependent.

FD

Trivial

$$A \rightarrow A$$

$$AB \rightarrow BA$$

$$B \rightarrow B$$

if B is subset of A

Non-trivial

$$AB \rightarrow AB$$

$$A \rightarrow A$$

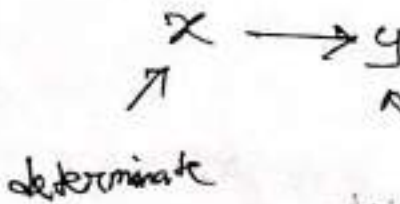
$$A \rightarrow B$$

$$B \rightarrow B$$

$$B \rightarrow A$$

B is not subset of A

x, y is a set of attributes



dependent

	x	y
	1	1
$t_1 \rightarrow$	2	1
	3	2
	4	3
$t_2 \rightarrow$	2	5

$$x = 2$$

$$y = 1$$

? must be 1

$$\left[\begin{array}{l} \text{if } t_1 x = t_2 x \\ \text{then } t_1 y = t_2 y \end{array} \right]$$



Example

R.No	Name	marks	Dept	course
1	a	78	CS	C1
2	b	60	ECE	C1
3	a	78	CS	C2
4	b	60	ECE	C3

$R.No \rightarrow Name$

$Name \rightarrow R.No$

$R.No \rightarrow marks$

$Dept \rightarrow course$

$course \rightarrow Dept$

$marks \rightarrow Dept$

$(R.No, Name) \rightarrow marks$

$Name \rightarrow marks$

$(Name, mark) \rightarrow dept$

$(Name, marks) \rightarrow (dept, course)$

FD: $X \rightarrow Y$

$t_1 X = t_2 X$

$t_1 Y = t_2 Y$

closure of a Set of Functional Dependencies

It means the complete set of all possible attributes that can be functionally derived from given functional dependency using the Inference rules known as Armstrong's Rule.

→ It is denoted by F^+

Inference Rule (IR)

① Reflexive Rule

if $Y \subseteq X$ then $X \rightarrow Y$

$X = \{a, b, c, d, e\}$

$Y = \{a, b, c\}$

② Augmentation Rule

if $X \rightarrow Y$ then $XZ \rightarrow YZ$

FOR $R(ABCD)$

if $A \rightarrow B$ then $AC \rightarrow BC$

③ Transitive Rule

if $x \rightarrow y$ and $y \rightarrow z$ then $x \rightarrow z$

④ Union Rule

if $x \rightarrow y$ and $x \rightarrow z$ then $x \rightarrow yz$

⑤ Decomposition Rule

if $x \rightarrow yz$ then $x \rightarrow y$ and $x \rightarrow z$

closure set

$x^+ \rightarrow$ contains set of attributes determined by x

Example

$R(AB \subset DEFG)$

$A \rightarrow B$

$B \subset \rightarrow DE$

$AEG \rightarrow G$

$(A \subset)^+ = \{A, \subset, B, D, E\}$

$R(AB CDE)$

• $A \rightarrow BC$

• $CD \rightarrow E$

• $B \rightarrow D$

• $E \rightarrow A$

$$B^+ = \{B, D\}$$

$$(AB)^+ = \{A, B, C, D, E\}$$

B

$R(AB CDEFGH)$

• $A \rightarrow BC$

• $CD \rightarrow E$

• $E \rightarrow C$

• $D \rightarrow AEH$

• $ABH \rightarrow BD$

• $DH \rightarrow BC$

$$(B C D)^+ = \{B, C, D, E, A, H\}$$

$$\{A, B, C, D, E\} = (AB)^+$$

Irreducible set of FD (canonical cover)

F^c if F^c don't have

- (i) redundant attribute
- (ii) redundant FD.

Steps:-

$F: \{ AB \rightarrow C, C \rightarrow AB, B \rightarrow C, ABC \rightarrow AC, A \rightarrow C, AC \rightarrow B \}$

$S_1 = \{ AB \rightarrow C, C \rightarrow A, C \rightarrow B, B \rightarrow C, \overset{\text{redundant}}{ABC \rightarrow A}, \overset{\text{redundant}}{ABC \rightarrow C}, A \rightarrow C, AC \rightarrow B \}$

$S_2 = \{ \cancel{B \rightarrow C}, \checkmark C \rightarrow A, \checkmark C \rightarrow B, \cancel{B \rightarrow C}, \cancel{A \rightarrow C}, A \rightarrow B \}$

$S_3 = \{ \checkmark C \rightarrow A, \cancel{A \rightarrow C}, \checkmark A \rightarrow B, \checkmark B \rightarrow C \}$

\rightarrow

$A = \{ A, B, C \}$
 $B = \{ B \}$
 $C = \{ C, B \}$
 $C \rightarrow \{ C, AB \}$
 $B = \{ B \}$
 $C = \{ C, B \}$
 $A = \{ A, B \}$
 $A = \{ AC \}$

Find Key

super keys : Set of attributes whose closure contain of all attributes of given Relation =

candidate key,

candidate keys are super keys with the least number of attributes.

Any CK can not be proper subset of Any other super keys

Like $A = \{A, B, C, D\} \rightarrow SK, CK$

$AD = \{A, B, C, D\} \rightarrow SK$ but not CK

$\{A\} \{D\}$

$\{A\} \{B\}$

$\{A\} \{C\}$

$R(ABCD)$

$FD: \{A \rightarrow B, B \rightarrow C, C \rightarrow A\}$

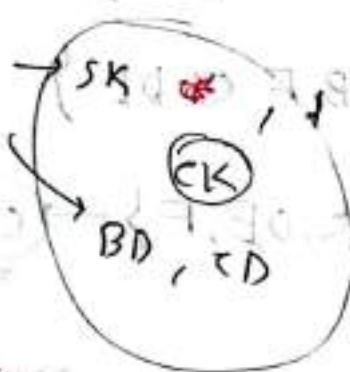
$ABCD^+ = \{A, B, C, D\} \rightarrow SK$

$ACD^+ = \{A, C, D, B\} \rightarrow SK$

$AD^+ = \{A, D, B, C\} \rightarrow SK$

$\{A\}^+ = \{A, B, C, A\}$

$\{D\}^+ = \{D\}$



CK

BD, CD

prime Attribute

$\{A, D\}$

$\{A\} = \{A\}$

$\{D\} = \{D\}$

$R(ABCDEF)$

$FD: \{AB \rightarrow C, C \rightarrow D, B \rightarrow AE\}$

$ABDEF^+ = \{A, B, C, D, E, F\} \rightarrow SK$

$ABDEF = \{A, B, D, E, F, C\} \rightarrow SK$

$ABEF = \{A, B, F, C, D, E\} \rightarrow SK$

$BF = \{B, A, E, C, D, F\} \rightarrow SK$

⑨

$$R = (AB C D E F) \quad C \rightarrow D, C \rightarrow E$$

$$F = \{ \underline{AB \rightarrow C}, \underline{C \rightarrow DE}, E \rightarrow F, \underline{D \rightarrow A}, \underline{C \rightarrow B} \}$$

$\xrightarrow{\quad} \underline{AB \rightarrow DE}$

$$\underline{AB C D E F}^+ = \{A, B, C, D, E, F\}$$

$$\underline{AB D E F}^+ = \{A, B, D, E, F, C\}$$

$$\underline{AB F}^+ = \{A, B, F, C, D, E\}$$

$$\underline{AB} = \{A, B, C, D, E, F\} \rightarrow \underline{CK}$$

$$\{A^+\} = \{A\}$$

$$\{B\} = \{B\}$$

must | non must
F

Prime attribute

$$\underline{AB} \rightarrow \underline{D, B} \rightarrow \underline{CK}$$

$$\{D^+\} = \{D, A\}$$

$$\{B\} = \{B\}$$

$$\{A, B, D, C\}$$

$$CK \Rightarrow \underline{AB D C}$$

$$\underline{A C} \rightarrow \text{not candidate}$$

$$\underline{C^+} = \{D, E, A, B, C\} \rightarrow \underline{CK}$$

Normalization

Anomaly

Normalization is a technique to reduce data redundancy from a table.

* what is data redundancy?

→ Repetition of similar data at multiple places.

* Repetition of data increases the size of database so we reduce redundancy.

other problem

- Insertion problem
- Deletion
- Updation

To insert redundant data for every new row is a data insertion ANOMALY

student table

Roll	name	age	dept	hod
01	A	22	CSE	ME
02	B	23	CSE	ME
03	C	22	CSE	ME
04	D	23	CSE	ME

Now delete Row one by one delete student info. also dept. info.

Loss of related dataset when some other dataset is deleted called deletion anomaly

Update Anomaly

Student table into

Student table

dept. table

Roll	Age	name	dept
01	22	A	CSE
02	23	B	CSE

dept	name
CSE	ME

Insertion ✓
 updation ✓
 deletion ✓

⊛ 1st NF

→ Table should not contain any multivalued Attribute

Student table

Roll	Name	course
1	Abir	C++, Java
2	Kabir	DBMS
3	Nibir	C++, DSA

Solution : each attribute of a table must have atomic (single) values.

Q1

Roll	Name	course
1	Abir	C++
1	Abir	Java
2	Kabir	DBMS
3	Nibir	C++
3	Nibir	DSA

Q2

Roll	Name
1	Abir
2	Kabir
3	Nibir

OR

Roll	course
1	C++
1	Java
2	DBMS
3	C++
3	DSA

Roll + course

composite key

2NF

HP elid book 890 G3

→ Table is in 1NF

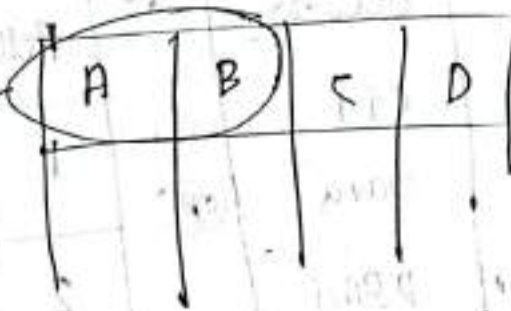
→ can't partial dependency

⊗ partial dependency

Partial dependency is a situation in which a non-key attribute of a table depends on only a part of the primary key.

Std Id	Course Id	Course name	Inst.
1	101	Math	X
1	102	Eng	Y
2	101	His	Z

composite key



AB → D

B → D

Here (Std Id + Course Id)

is composite primary key

course name → Std Id

course name depends on part of the primary key

④ How to remove partial dependency

ST

Stud-id	course-id	course fee
1	C ₁	1000
2	C ₂	1500
1	C ₄	2000
4	C ₃	1000
4	C ₁	1000
2	C ₅	2000

Stud-id + course-id \Rightarrow candidate key

course fee \Rightarrow non-prime attribute.

non-prime attribute is dependent on ~~non-prime~~ candidate key.

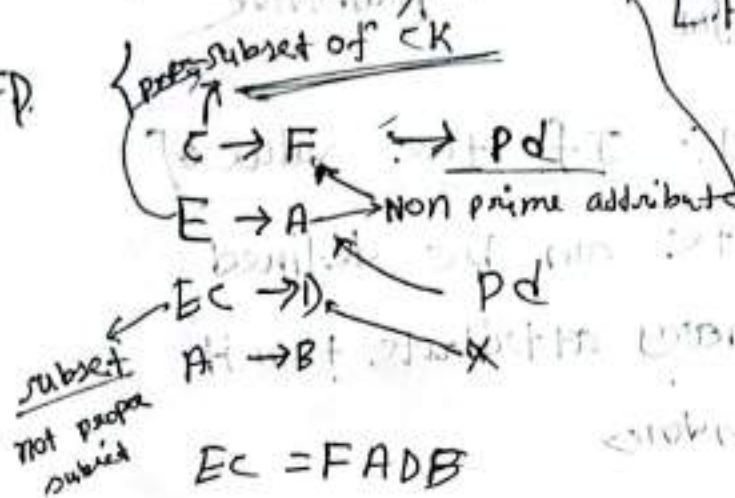
So - This table convert 2NF, we need split this table in two table.

Stud-id	course-id

course-id	course fee

$R(AB \leq DEF)$

FD



NOT in table

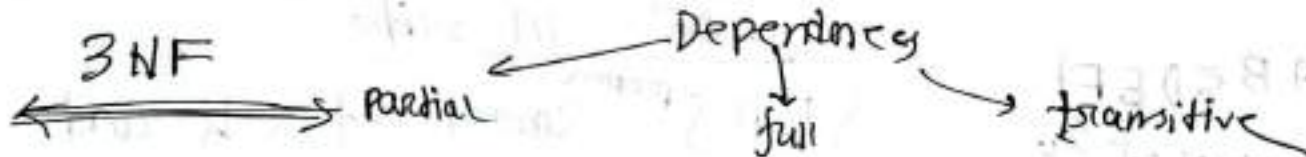
L.H.S proper subset of CK and

R.H.S non-prime attribute

$$EC^+ = \{ECFADB\}$$

- (i) $CK = \{EC\}$
- (ii) prime attributes $\{E, C\}$
- (iii) NON prime $\{A, B, D, F\}$

ch. ser.	ch. ser.	ch. ser.	ch. ser.	ch. ser.
101	101	101	101	101
102	102	102	102	102
103	103	103	103	103
104	104	104	104	104
105	105	105	105	105



Transitive dependency:- If the value of a non-primary attribute can be defined using another non-primary attribute then it is called transitive dependency.

Rules

- Table must be in 2NF
- Transitive functional dependency of non-primary attribute on any super key should be removed.

Employee table

emp-id	emp-name	emp-zip	emp-state	emp-city
101	A	1200	UK	nodia
102	B	2100	USA	chicago
103	C	8400	UP	Bhapal
104	D	9700	US	NOxwich

candidate key = Emp_Id

Non prime attribute = Emp-id

Non prime attribute = another's key

Here emp-state and emp-city dependent on
emp-zip.

and emp-zip dependent on emp-id

emp-id	emp-name	emp-zip

emp-zip	emp-state	emp-city

Q2

$R(ABCD)$

FD: $AB \rightarrow CD, D \rightarrow A$

CK:

$AB^+ = ABCD$

$DB^+ = DBAC$

$\Rightarrow CK: \{AB, DB\}$

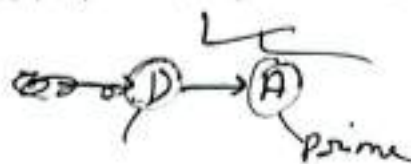
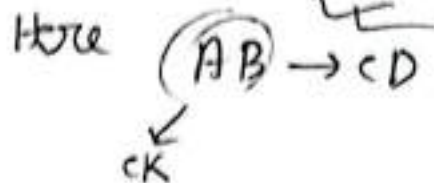
Prime Attributes = $\{A, B, D\}$

Non prime attribute = $\{C\}$

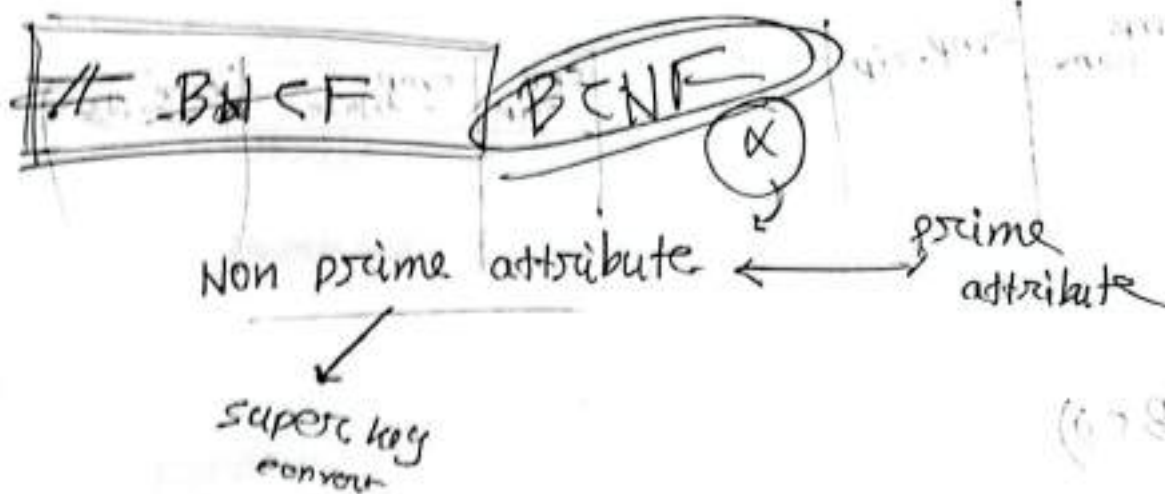
valid for 3NF

For each FD:

LHS must be a CK or SK or
RHS is a prime attribute

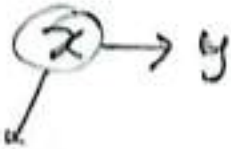


So this table is in 3NF



- must have a
- Table must be in 3NF
- A table is in BCNF if every functional dependency $x \rightarrow y$, x is the super key of the table

• for BCNF, the table should be in 3NF and
for every FD, LHS is super key



must be
super key

EX

$R(A, B, C)$

FD: $\{A \rightarrow B, B \rightarrow C, C \rightarrow A\}$

SK

SK

SK

it is 3NF

$ABC^+ = \{ABC\}$

$A^+ = \{ABC\}$

super key

$A^+ = \{ABC\}$

$C^+ = \{ABC\}$

$B^+ = \{ABC\}$

$KK = \{A, C, B\}$

BCNF:

valid for ...

Lec 24 Jemms

Example

Normalize a relation from 1NF to BCNF

$R(AB C D E F G H)$

FD: {

$A \rightarrow B D$

$B \rightarrow C$

$E \rightarrow F G$

$A E \rightarrow H$

}

Find CK

$AB C D E F G H^+ = \{AB C D E F G H\}$

SK $\leftarrow A E^+ = \{A E H B D C F G\}$

proper sub set
CK $\leftarrow A^+ = \{B D C A\}$
 $E^+ = \{E F G\}$

\therefore prime attribute = $\{A, E\}$

non prime attribute $\{B C D F G H\}$

Find PD partial dependency

LHS proper subset of CK

and

RHS Non prime attribute

$$\checkmark A \rightarrow BD \implies PD$$

$$B \rightarrow C \implies X$$

$$\checkmark E \rightarrow FG \implies PD$$

$$AE \rightarrow H \implies \cancel{PD} X$$

subset

Now solve the PD

$$A^+ = \cancel{A} B C D$$

$$R_1 = \{A, B, C, D\}$$

$$A^+ = A B D C$$

$$\textcircled{A \rightarrow B D C}$$

$$B^+ = B C$$

$$\textcircled{B \rightarrow C}$$

$$\cancel{C^+} = \cancel{C} + \text{trivial}$$

$$\cancel{D^+} = \cancel{D} \checkmark$$

$$E^+ = E F G$$

$$R_2 = \{E, F, G\}$$

$$E^+ = E F G$$

$$\textcircled{E \rightarrow F G}$$

$$\cancel{F^+} = \cancel{F} X$$

$$\cancel{G^+} = \cancel{G} X$$

$$R_3 = \{H\}$$

$$R_3 = \{H, A, E\}$$

$$\cancel{H^+} = \cancel{H} X$$

$$\cancel{A^+} = \cancel{A} B D C X$$

$$\cancel{E^+} = \cancel{E} F G X$$

$$A E^+ = A E B D C F G H$$

$$\textcircled{A E \rightarrow H}$$

$$\cancel{A H^+} = \cancel{A H} B D C X$$

FD₁: { $A \rightarrow BDC$
 $B \rightarrow C \rightarrow TD$ }

CK: A

$B^+ = BC$

$R_{11} = \{B, C\}$ | $R_{12} = \{A, D, B\}$

$B^+ = BC$

$B \rightarrow C$ BCNF
 $C^+ = C A$

FD₂: {

$E \rightarrow FG$

CK: E

BCNF

FD₃: {

$AE \rightarrow H$

CK: AE

BCNF

$A^+ = ABD$

$A \rightarrow BD$ BCNF

$B^+ = B A$

$D^+ = D A$

$R(ABCD EFGH)$

FD: { $A \rightarrow BD$, $B \rightarrow C$, $E \rightarrow FG$, $AE \rightarrow H$ }

$R_1(A, B, C, D)$

FD₁: { $A \rightarrow BD$, $B \rightarrow C$ }

$R_{11}(B, C)$

FD₁₁: { $B \rightarrow C$ }

BCNF

$R_2(E, F, G)$

FD₂: { $E \rightarrow FG$ }

$R_{12}(A, D, B)$

FD₁₂: { $A \rightarrow BD$ }

BCNF

$R_3(A, E, H)$

FD₃: { $AE \rightarrow H$ }

BCNF

19-20 (6ca)
 $R(a, b, c, d, e)$ ✓

$P(f, g, h, i)$ ✓

$a \rightarrow b$

$b \rightarrow c$

$b \rightarrow e$

$b \rightarrow d$

$P \left\{ \begin{array}{l} f \rightarrow g \\ f \rightarrow h \\ h \rightarrow i \end{array} \right.$

accessionno = a

isbn = b

title = c

author = d

publisher = e

userid = f

name = g

deptid = h

deptname = i

R = books

P = users

1st NF: give schema is already 1NF because
all attributes contain atomic values.

2NF: To achieve 2NF, there should be
partial dependency in FD.

in $R(a, b, c, d, e)$ find CK

$$a \neq \emptyset \neq \emptyset^+ = \{a, b, c, d, e\}$$

So candidate key is A

\therefore prime attribute = $\{A\}$

\therefore NON prime attribute = $\{B, C, D, E\}$

and, in $P(F, G, H, I)$ find CK

$$F \neq \emptyset \neq \emptyset^+ = \{F, G, H, I\}$$

$$CK = F$$

PA = $\{F\}$

NPA = $\{G, H, I\}$

find PK in both tables

$$A \rightarrow B$$

$$B \rightarrow C$$

$$B \rightarrow E$$

$$B \rightarrow D$$

no partial dependencies

$$F \rightarrow G$$

$$F \rightarrow H$$

$$H \rightarrow I$$

No partial dependencies

3NF

✓ To achieve 3NF all transitive dependencies should be removed that means non prime attributes can not determine non prime attribute.

$R(A, B, C, D, E)$

$A \rightarrow B \rightarrow$ only valid

$B \rightarrow C$

$B \rightarrow E$

$B \rightarrow D$

} \rightarrow TD

$R_1(A, B)$

$A^+ = AB$

$A \rightarrow B$

BCNF

$B^+ = B, C, D, E$

$FD_{R_1}: \{A \rightarrow B\}$

BCNF
valid

$R_2(B, C, D, E)$

$B^+ = B, C, D, E$

$B \rightarrow C, D, E$

$C^+ = C, \alpha$

$D^+ = D, \alpha$

$E^+ = E, \alpha$

$FD_{R_2}: \{B \rightarrow C, D, E\}$

BCNF

$P(F, G, H)$

$F \rightarrow G$

$F \rightarrow H$

$H \rightarrow I \rightarrow$ TD

$P_1(H, I)$

$H^+ = HI$

$H \rightarrow I$

$I^+ = I, \alpha$

$FD_{P_1}: \{H \rightarrow I\}$

BCNF

$P_2(F, G, H)$

$F^+ = F, G, H, I$

$F \rightarrow G, H$

$G = G, \alpha$

$H = H, I, \alpha$

$FD_{P_2}: \{F \rightarrow G, H\}$

BCNF

Transaction

A Transaction is a logical unit of work. It is the set of operations (read, write) to perform unit of work.

Operations of Transaction

① Read (x): A read operation is used to read the value of x from the DB and store in the buffer in the main memory for further actions.

② write (x): A write operation is used to write the value of the db from the buffer in the main memory.

To withdraw money from Id & first read() operation then write() operation.

Balance

Id	name	Balance
01	X	500
02	Y	1000

COMMIT is a transaction control language that is used to permanently save the changes done in the transaction in db.

RollBack is a transaction control language that is used to undo the transaction that have not been saved in the db.

start transactions;
update employee
set salary = 50000
where id = 3;

employee

Id	name	salary
1	Rahim	20000
2	Karim	30000

COMMIT ; / ROLLBACK → Return before state

→ successfully permanently save in table

Save point :

- This is used to set a point within a transaction to which you can later rollback if needed.

SAVEPOINT savepoint_name;

ROLLBACK TO savepoint_name;

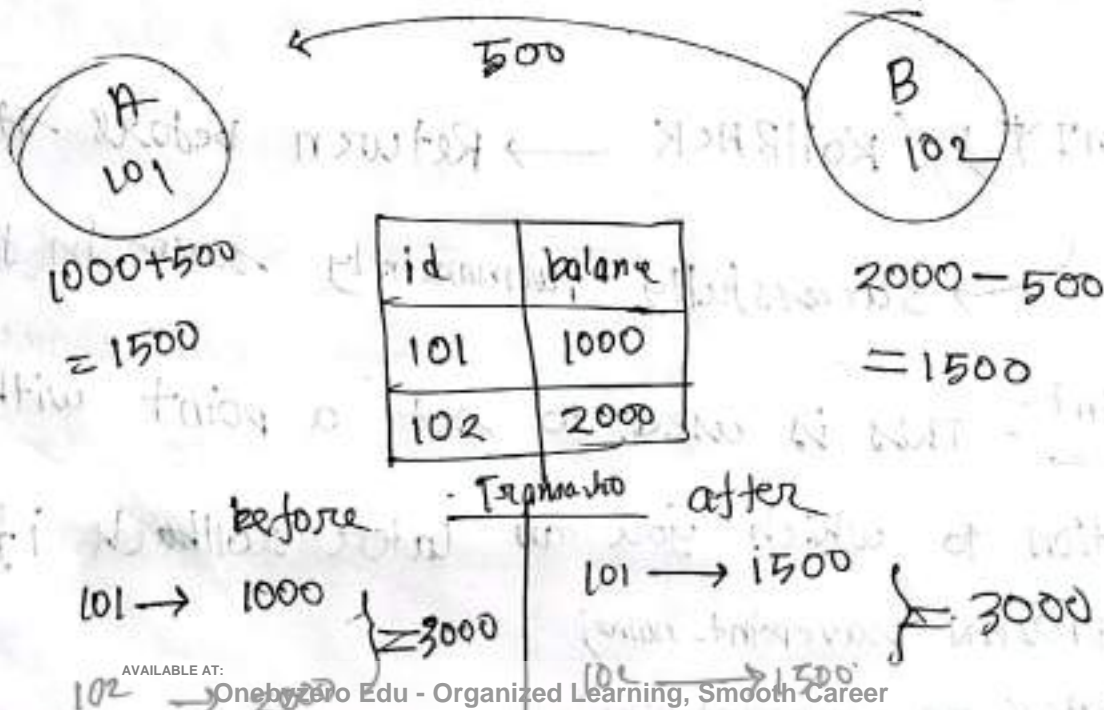
ACID

→ ~~Atom~~ Atomicity: The entire transaction takes place at once or doesn't happen at all

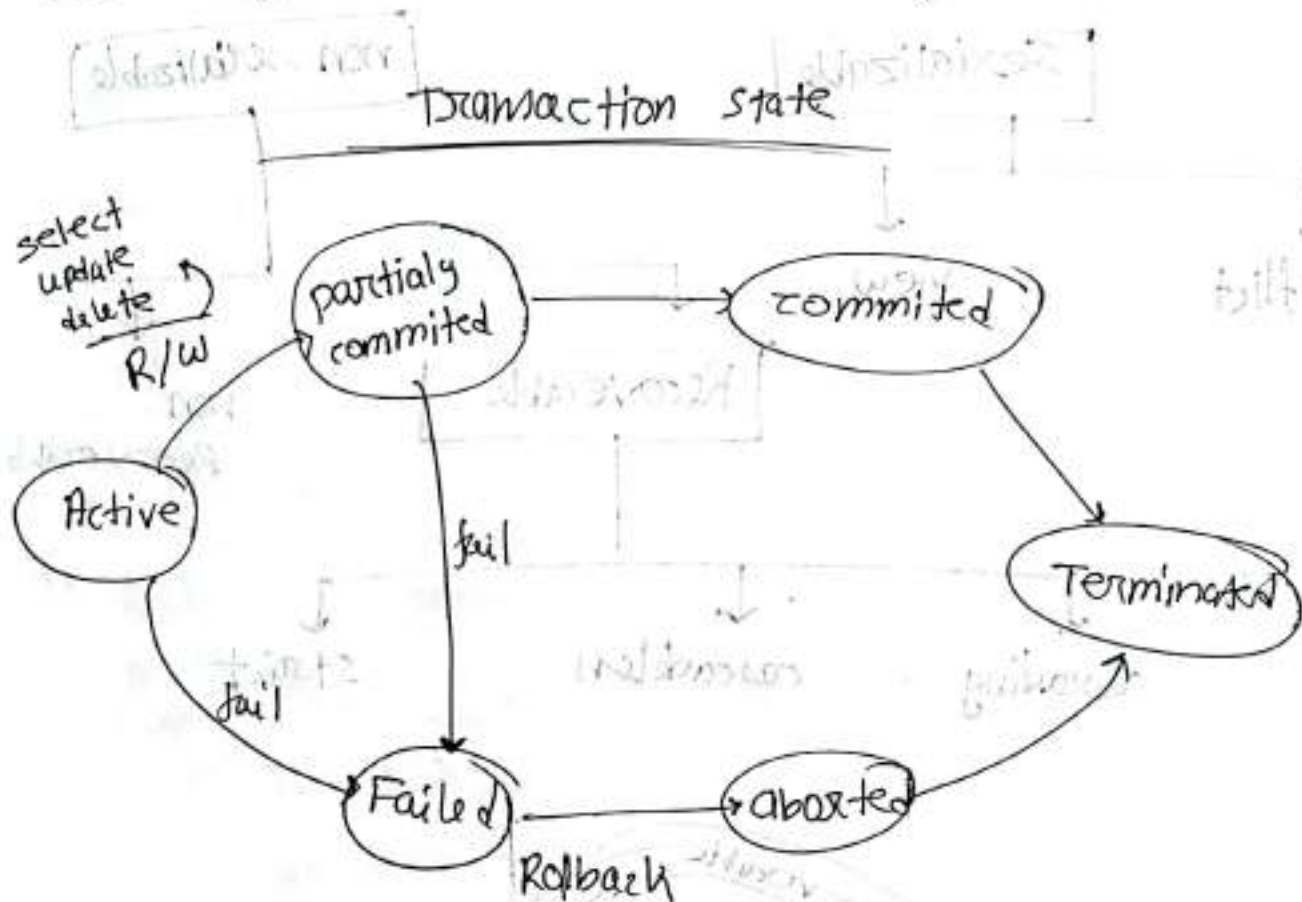
→ consistency: The database must be consistent before and after the transaction

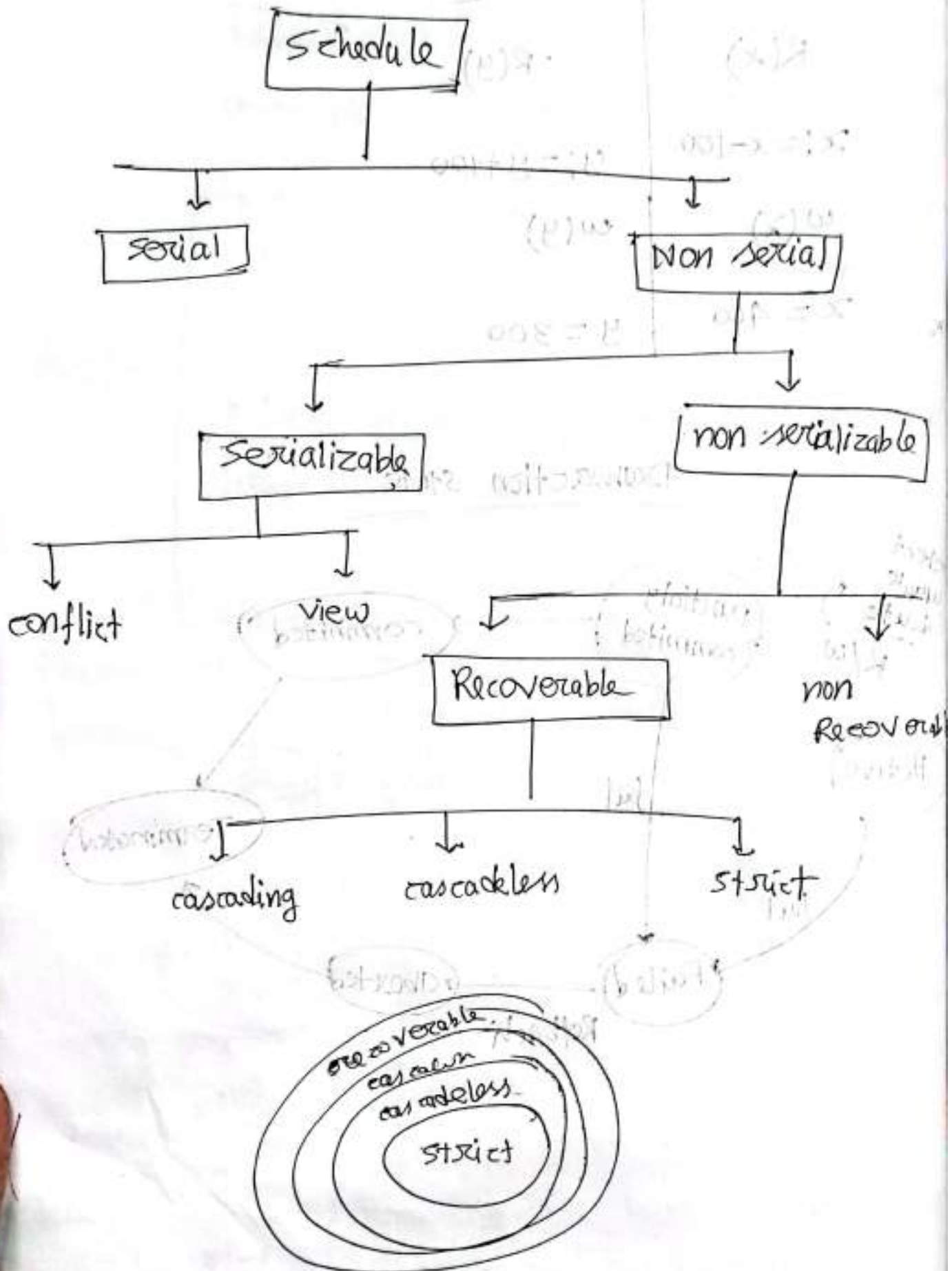
→ Isolation: multiple transaction occur independently without interference

→ Durability: The changes of successfully transaction occurs even if the system failure occurs. (commit)



before	$x = 500$	T_1		T_2	$y = 200$
		$R(x)$		$R(y)$	
		$x := x - 100$		$y := y + 100$	
		$w(x)$		$w(y)$	
After	$x = 400$			$y = 300$	





multi user support; concurrency

performance and speed: parallel

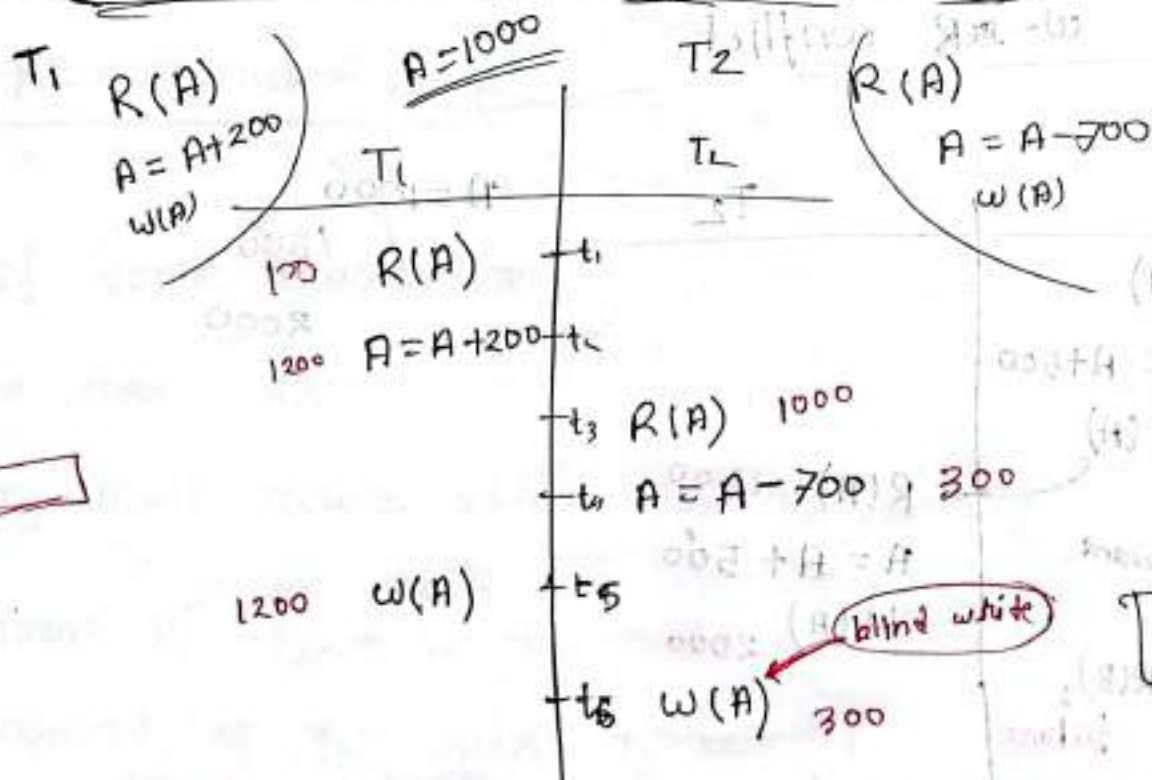
Advantages of concurrency

- decrease waiting time
- decrease response time
- Resource utilization
- Increase efficiency

parallel transaction

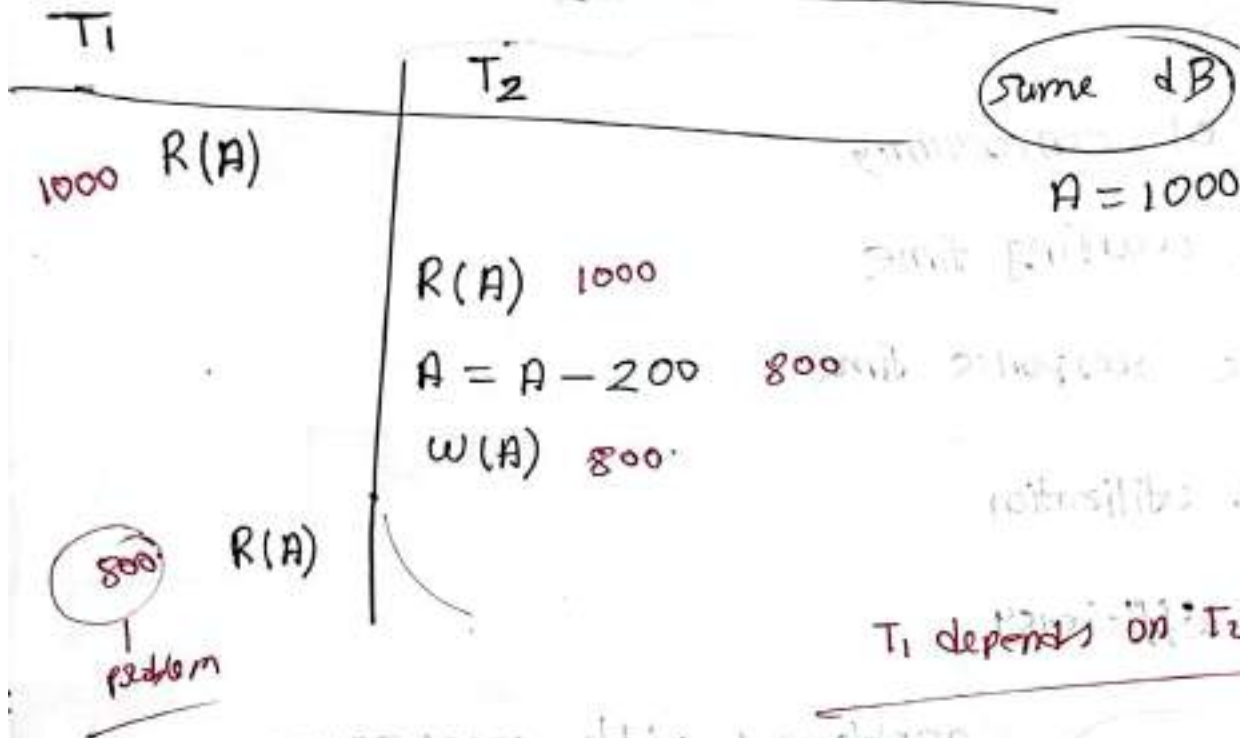
problems with concurrency

② Lost update problems (w-w conflict)



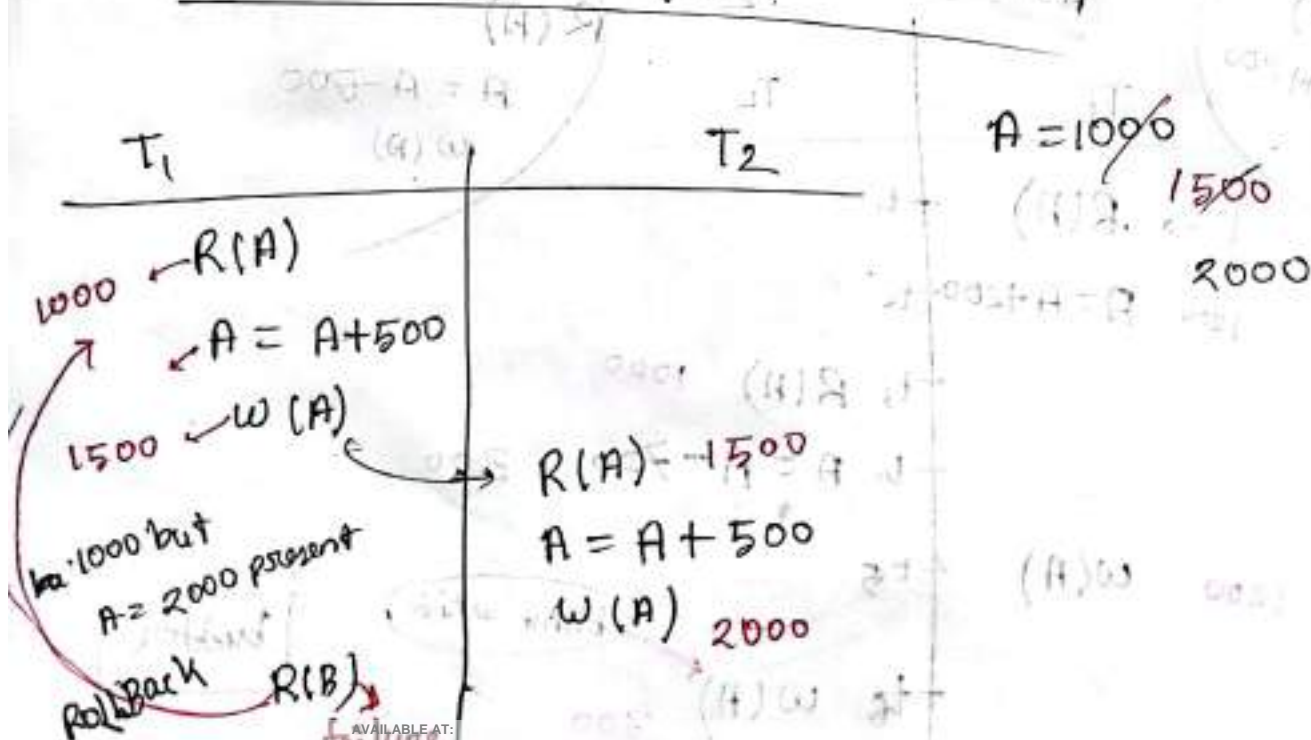
⊗ unrepeatable read problem

R-W ~~(A-B)~~



⊗ Dirty read problem

W-R conflict



Serial schedule

T_1	T_2
$R(A)$ $A := A - 500$ $w(A)$ commit	$R(A)$ $A := A + 1000$ $w(A)$ commit

Non serial schedule.

T_1	T_2
$R(A)$ $A := A - 500$ $w(A)$	$R(A)$ $A := A + 500$
$R(A)$ $w(A)$	

Recoverable

cascading

cascades

strict

If some transaction T_j is reading or written by some other transaction T_i , then the commit of T_j must occur after the T_i commit.

② Means if T_2 is dependent of T_1 then first commit of T_1 then T_2 commit

AVAILABLE AT:

Onebyzero Edu - Organized Learning, Smooth Career

The Comprehensive Academic Study Platform for University Students in Bangladesh (www.onebyzeroedu.com)

T_1	T_2	$A=1000$
1200 $R(A)$		
$R = A + 500$		
1500 $W(A)$		
commit		
	$R(A)$ 1500	
	$R = A + 500$	
	$W(A)$ 2000	
	commit	

② cascading schedule

T_1	T_2	T_3
$R(A)$ $A_i = A + 500$ $W(A)$ commit (RIB) failure Rollback	depend on T_1 $R(A)$ $A_i = A + 500$ $W(A)$ commit Rollback	depend on T_2 $R(A)$ $A_i = A + 500$ $W(A)$ commit Rollback

When failure in one T and this leads other T , rollback the source T also dependent T .

② cascadeless schedule

T_1	T_2
$R(A)$	
$w(A)$	
commit	$w(A)$
	$R(A)$
	$w(A)$
	commit

When a transaction is not allowed to read data until the last transaction which has written is committed

mean: if a T_i read another written T_j data ensure that this written data is committed?

Here T_2 read updated data of T_1 if only T_1 is committed

③ Strict schedule

T_1	T_2
$R(A)$	
$w(A)$	
commit	$R(A)$
	$w(A)$
	$R(A)$
	commit

in strict schedule
Read and write updated value of another T_j must be committed.

lec: 99

Fachon

Serializability schedule

Conflict

① can't loop/cycle

② consistency of serial schedule

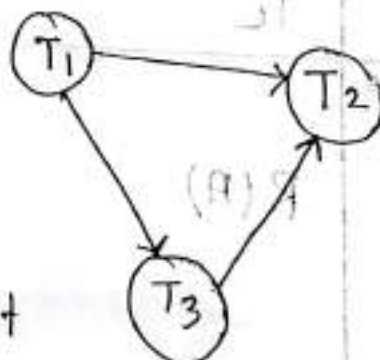
T_1	T_2	T_3
$\rightarrow R(A)$		
	$\rightarrow R(B)$ 20	$\rightarrow R(B)$ 20
	$\rightarrow W(B)$	
$\rightarrow W(A)$ 20		
		$\rightarrow W(A)$ 30
	$\rightarrow R(A)$ 30	
	$\rightarrow W(A)$ 40	
		$W(A) = 40$ $W(B) = 30$



consistency check ✓ (valid)

$$\begin{matrix} A = 10 \\ B = 20 \end{matrix} \left\{ \begin{matrix} W(A) = A + 10 \\ W(B) = B + 10 \end{matrix} \right.$$

Create a precedence graph

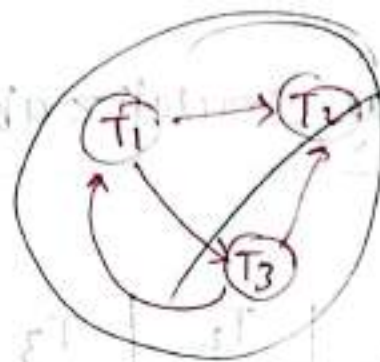


In this graph have not any loop or cycle so it is conflict schedule and it convert serial schedule.

$T_1 \rightarrow T_3 \rightarrow T_2$

Serial schedule

T_1	T_3	T_2
$R(A)$ $w(A)$ 20	$R(B)$ $w(A)$ 30	$R(B)$ $w(B)$ $R(A)$ $w(A)$ 40

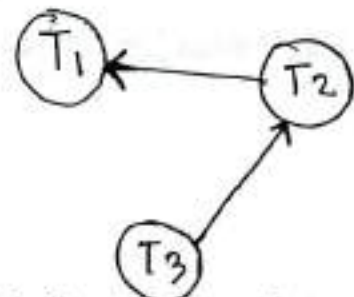


non-conflict

- $R(A) = 40$
- $R(B)$
- $w(A) = 40$
- $w(B) = 30$

S: $R_1(A)$; $R_2(A)$; $R_3(B)$; $w_1(A)$; $R_2(C)$; $R_2(B)$; $w_2(B)$; $w_1(C)$;

T_1	T_2	T_3
$\rightarrow R(A)$ $\rightarrow w(A)$ $\rightarrow w(C)$	$\rightarrow R(A)$ $\rightarrow R(C)$ $\rightarrow R(B)$ $\rightarrow w(B)$	$\rightarrow R(B)$

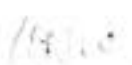


in the precedence graph has no cycle so

conflicts serializability schedule

10

(2.4)


$$G_1 = (G_1, G_2)$$
$$\mathcal{O}_X^* = (\mathcal{O}_X^{\text{ét}})^{\times}$$
$$\begin{aligned} & \{ (8)SW : (8)SA : (3)SA : (4)WV : (8)ES : (4)SA : (4)SA : \\ & (6)WV \end{aligned}$$


18-19
85

① Transaction 1 (Transfer 50 from A to B)

START TRANSACTION;

UPDATE account SET balance = balance - 50 where
account-name = 'A';

UPDATE account SET balance = balance + 50 where
account-name = 'B';

COMMIT;

② Transaction 2 (Transfer 10% of balance A to B)

START TRANSACTION;

UPDATE account SET balance = balance - (balance * 0.10)
where account-name = 'A';

UPDATE account SET balance = balance + (balance * 0.10)
where account-name = 'B';

COMMIT;

18-19
4

Q

Book is AD

Q

II

$AD^+ - \{AD, BC\}$

Q

Book-seller (ISBN-NO, salesman, sold date,
commission, discount-amount)

consider that

Book-seller = R

ISBN-NO = A

salesman = B

sold-date = C

commission = D

discount = E

F. Dependencies

R(A, B, C, D, E)

$A \rightarrow E$

$A \rightarrow E$

$C \rightarrow E$

$B \rightarrow D$

Find CK

$$AB \times BE^+ = \{A B C D E\}$$

$$AB^+ = \{A B C E D\}$$

(CK)

$$A^+ = \{A C E\}$$

$$B^+ = \{B D\}$$

$$CK = AB$$

$$P_{PA} = \{A, B\}$$

$$N_{PA} = \{C, D, E\}$$

1NF: all attributes are atomic so this relation is 1NF

2NF: Relation is in 1NF

~~There are no partial dependencies in this~~
Relation

~~so now this relation also 2NF~~

3NF: check partial dependencies:-

L.H.S is proper subset of CK and

R.H.S is non-prime attribute.

so partial dependencies relations are

$$A \rightarrow C$$

$$A \rightarrow BE$$

$$B \rightarrow D$$

AVAILABLE AT:

$$A^+ = A \subseteq E$$

$$R_1(A, E) = X$$

$$A^+ = A \subseteq E = A \subseteq E$$

$$A \rightarrow E \rightarrow 2NF$$

$$C^+ = C \subseteq E$$

$$C \rightarrow E \rightarrow TD$$

$$CK = A$$

$$C^+ = C \subseteq E$$

$$R_{11}(C, E)$$

$$C^+ = C \subseteq E$$

$$C \rightarrow E$$

BCNF

$$R_{12}(A, C)$$

$$A^+ = A \subseteq C$$

$$A \rightarrow C$$

BCNF

$$B^+ = B \subseteq D$$

$$R_2(B, D)$$

$$B^+ = B \subseteq D$$

$$B \rightarrow D \rightarrow \underline{BCNF}$$

$$R_1(A, B, D)$$

$$R_2(C, E)$$

$$R_3(A, C)$$

DBMS

Functional Dependency, keys

FD: $x \rightarrow y$ (Determinant) \rightarrow (Dependent)

tuples = rows

* * * x এর মান যদি একই হয়

same 2টি 2টি

* If the tuple of x is same then y will also same values.

FD: $x \rightarrow y$

if $t_1.x = t_2.x$ then must be $t_1.y = t_2.y$ (case 1)

FD: $x \rightarrow y$

if $t_1.x \neq t_2.x$ then you don't need to check the condition of y. y would be same or not same. (case 2)

case 1

	x	y
$t_1 \rightarrow$	1	1
$t_2 \rightarrow$	2	1
$t_3 \rightarrow$	3	2
$t_4 \rightarrow$	4	5
$t_5 \rightarrow$	2	3

case 2

	x	y
$t_1 \rightarrow$	1	1
$t_2 \rightarrow$	2	1
$t_3 \rightarrow$	3	2
$t_4 \rightarrow$	2	1

But

FD: $x \rightarrow y$ if $t_1.x = t_2.x$ and $t_1.y \neq t_2.y$ then it is not the case of Functional dependency. (case 1)

Example 8

	R.NO	name	marks	Dept	course
$t_1 \rightarrow$	1	a	70	CSE	C ₁
$t_2 \rightarrow$	2	c	80	EEE	C ₂
$t_3 \rightarrow$	3	d	70	CSE	C ₁
$t_4 \rightarrow$	4	a	68	BME	C ₃
$t_5 \rightarrow$	5	b	81	EEE	C ₂

is it FD?

R.no	→	name
1	→	a

~~$t_1 \neq t_2$~~

It is FD, 1 is true

name	→	R.no
a	→	1

$t_1.n = t_4.n$ but

$t_1.y \neq t_4.y$ so: FD

it is not FD

Dept	→	course
CSE	→	C ₁

$t_1.n = t_3.n$

$t_1.y = t_3.y$

Again

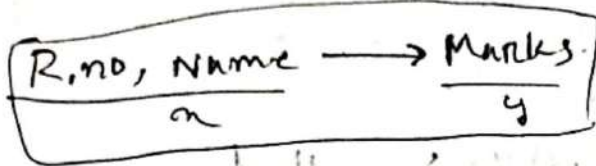
$t_2.n \neq t_5.n$

$t_2.y = t_5.y$

1. If $t_1.n \neq t_2.n$ then no need to check y and it is a FD.

2. If $t_1.n = t_2.n$ then must be $t_1.y = t_2.y$. then it will FD otherwise it is not FD.

✗✗ Every time we just check the repeated value to determine FD. That's make your calculation



R. no.	name	mark
1	a	60
2	b	70
3	d	80
4	c	90
1	a	61

In this case not FD.

একটি condition এ FD এর ক্ষেত্রে
যেকোনো একটি case না খিলিয়েও FD 2য় নী।
অতএব check করুন না।

*** methods/properties.

Reflexivity: If y is a subset of x then $x \rightarrow y$ (trivial)

Augmentation: If $x \rightarrow y$ then $xz \rightarrow yz$

Transitive: If $x \rightarrow y$ and $y \rightarrow z$ then $x \rightarrow z$

Union: If $x \rightarrow y$ and $x \rightarrow z$ then $x \rightarrow yz$

Composition: If $x \rightarrow y$ and $z \rightarrow w$ then $xz \rightarrow yw$

Decomposition: If $x \rightarrow yz$ then $x \rightarrow y$ and $x \rightarrow z$

Reductive: If $x \rightarrow y$ and $wy \rightarrow z$ then $wx \rightarrow z$

Trivial FD: (Reflexive)

If $x \rightarrow y$ and y is subset of x is called trivial FD and y is an attribute.

This case always true. Valid

L.H.S	R.H.S
id, name	id
id, address	address
L.H.S \cap R.H.S $\neq \phi$	

Non trivial FD:

If $x \rightarrow y$ and y is not the subset of x is called non-trivial FD.

L.H.S R.H.S

id \rightarrow name

id \rightarrow semester

$$L.H.S \cap R.H.S = \phi$$

Trivial FD: (No need to check the table it always valid)

$x \rightarrow y$ if $y \subseteq x$	id, name \rightarrow name
$x \rightarrow x$ if $x \subseteq x$	id \rightarrow id

*very less use case

Non trivial FD: $x \rightarrow y$ and $x \cap y = \phi$ and

$y \not\subseteq x$ but it is semi-trivial.

id \rightarrow name

if $\frac{id, name}{x \rightarrow y} \rightarrow \frac{name, marks}{y \rightarrow z}$

x and y are different but here y is an attribute common in L.H.S and R.H.S. This time it's call **Semitrivial**.

~~Armstrong's Axioms / In~~

Armstrong's Axioms / Inference rules:

1. Reflexivity: $x \rightarrow x$, $x \rightarrow y$ and $y \subseteq x$ (trivial)

2. Transitivity: If $(x \rightarrow y \text{ and } y \rightarrow z)$ then $x \rightarrow z$

$Name \rightarrow Dept$
 $Dept \rightarrow Faculty$

Then $name \rightarrow Faculty$.

3. Augmentation: If $x \rightarrow y$ then $xA \rightarrow yA$
 $id, city \rightarrow name, city$

4. Union: If $\frac{x \rightarrow y}{id \rightarrow name}$ and $\frac{x \rightarrow z}{id \rightarrow city}$ then $\frac{x \rightarrow yz}{id \rightarrow name, city}$

5. Decomposition / splitting: If $\frac{x \rightarrow yz}{id \rightarrow name, city}$ then $\frac{x \rightarrow y}{id \rightarrow name}$ and $\frac{x \rightarrow z}{id \rightarrow city}$

we can't split L.H.S.

But $xy \rightarrow z$ then $x \rightarrow z$ and $y \rightarrow z$
thanks not possible.

Pseudo transitive: If $(x \rightarrow y \text{ and } y \rightarrow A)$ then $x \rightarrow A$

Ex:

$id \rightarrow name$

$name, city \rightarrow marks$

$id, city \rightarrow marks$

Composition: if $x \rightarrow y$ and $y \rightarrow z$ then $x \rightarrow z$

Attribute closure / closure set

if you find all the closure set of attributes then it is easy to find candidate / super etc keys.

if you find the candidate keys then you can easily do 2nd, 3rd, BCNF normalization

Table \rightarrow attribute
 $R(A, B, C, D, E)$

FD ($A \rightarrow B, B \rightarrow C, C \rightarrow D, D \rightarrow E$)

$A \rightarrow C$
 ~~$A \rightarrow A$~~
 $A \rightarrow D$
 $A \rightarrow E$

Transitivity

$A \rightarrow B$ and $B \rightarrow C$

So $A \rightarrow C$ (transitivity)

Also, $A \rightarrow A$ (Reflexivity)

$A \rightarrow ABCDE$ (union)

$B \rightarrow C$
 $B \rightarrow D$
 $B \rightarrow E$

transitivity

$B \rightarrow BCDE$ (union)

$C \rightarrow D$

$C \rightarrow E$ (transitivity)

$C \rightarrow CDE$ (union)

$D \rightarrow E$

$D \rightarrow DE$

$E \rightarrow E$

Closure: (X = set of attributes)

$X^+ \rightarrow$ Contains set of attributes determined by X

$A^+ = \{A, B, C, D, E\} \rightarrow SK$

$AD^+ = \{A, D, B, C, E\} \rightarrow SK$

$B^+ = \{B, C, D, E\} \rightarrow K$

$CD^+ = \{C, D, E\} \rightarrow K$

**

super key:

Set of attributes whose closure contains all the attributes of given relation on table.

** Here A^+ is a super key, so $AB^+, AC^+, AD^+, AE^+, ABC^+, ABCD^+$ etc are also super key according to Augmentation rules.

So how many super key are there?

$R(A, B, C, D, E)$

SK

super key বাদে বাকি যতগুলো attribute

আমরা চাইব (ক) 2^n বাদে বাকিগুলো নিয়ে যা ২য় ভাগে

গোলে (মোট super keys এর সংখ্যা) $2^4 = 16$ এর

Candidate key:

Minimal super keys meaning no attribute

can be removed without losing the

ability to uniquely identify tuples

* A super key whose proper subset not to be a super key. $\{A, B, C, D, E\} = SK$

Exam: $A^+ = \{A, B, C, D, E\} \rightarrow SK$
 $AD^+ = \{A, B, C, D, E\} \rightarrow SK$

Here proper subset of AD is $\{\{A\}, \{D\}\}$ and

$\{A\}$ is also a super key. So AD cannot be a candidate key.

(So only A^+ is a candidate key.)

$R(A, B, C, D, E)$

FD ($A \rightarrow B, D \rightarrow E$)

Closure set:

$$A^+ = \{A, B\}$$

$$B^+ = \{B, C\} \text{ (Reflexivity)}$$

$$ABCDE^+ = \{A, B, C, D, E\} \text{ (Super key)}$$

$$ABDE^+ = \{A, B, D, E\}$$

$$ACDE^+ \rightarrow \{A, C, D, E, B\} \text{ SK}$$

$$ACD^+ \rightarrow \{A, C, D, B, E\} \text{ SK}$$

$$AD^+ \rightarrow \{A, D, B, E\}$$

$$CD^+ \rightarrow \{C, D, E\}$$

$$AC^+ \rightarrow \{A, C, B\}$$

candidate key:

$ABCDE^+$ is a proper subset of $ACDE$, ACD etc.

So, $ABCDE^+$ is a candidate key. Assume $ABDE$.

But ACD^+ is a proper subset.

A	AD
C	CD
D	AE

So, ACD^+ is a candidate key.

how many candidate keys are there?

$R(A, B, C, D, E)$

$FDE \rightarrow \{A \rightarrow B, D \rightarrow E\}$

1. $ABCE^+ = \{A, B, C, D, E\}$ SK

2. $ACDE^+ = \{A, B, C, D, E\}$ SK

$ACD^+ = \{A, B, C, D, E\}$ SK

$AC^+ = \{A, C\}$

$CD^+ = \{C, D\}$

$AD^+ = \{A, D\}$

$A^+ = \{A\}$

$C^+ = \{C\}$

$D^+ = \{D\}$

⑧ আমরা check করব অর্থাৎ closure এর proper subset এর কোন SK নেই না। না হলে এটিই candidate key হবে।

So, candidate key is ACD^+ and there are no more ck.

সমস্ত candidate key (বাক্য বাক্য)

① $R()$ Table এর অর্থাৎ নিচের closure set (বাক্য বাক্য) (যদি অন্য) SK হবে।

② ~~কোন~~ FD অনুযায়ী ~~কোন~~ attribute বাদ দিলে যদিও অন্য attributes দ্বারা determine করা যায়।

③ অর্থাৎ closure ~~অন্য~~ attribute এর বাদ দিলে যায় না।

Prime Attributes: (Part of candidate keys) FD ($A \rightarrow B, D \rightarrow E$)

candidate key is $[ACD]^+$

So prime attributes $\{A, C, D\}$

* Now check Are prime attr. available on the R.H. of the FD? If ans. is NO. then there is no more candidate keys in the Relation.

So only candidate key is ACD

Exmp: 2 $R(A, B, C, D)$

FD $\rightarrow \{ \frac{A \rightarrow B}{i}, \frac{B \rightarrow C}{ii}, \frac{C \rightarrow A}{iii} \}$

Step 1: $ABCD^+ = \{A, B, C, D\} \rightarrow SK$

Step 2: $ACD^+ = \{A, C, D, B\} \rightarrow SK$

$AD^+ = \{A, D, B, C\} \rightarrow SK$

proper subset of AD $\left\{ \begin{array}{l} A^+ = \{A, B, C\} \\ D^+ = \{D\} \end{array} \right\} \rightarrow \text{not SK}$

So candidate key is AD^+

Now we need to find any other ck is exist or not.

Prime Attributes are $\{A, D\}$. (check this)

Yes (for FD) and R.H.S. can be found. Yes, $e \rightarrow A$

A R.H.S. can be found, so we can write, AD

as eD because e can determine A,

$$\begin{array}{c} A, D \\ \downarrow \\ eD \rightarrow SK \end{array}$$

$SK \rightarrow C^+ = \{C, A, B\}$ } Now check if it is a CK?

$$SK \rightarrow D^+ = \{D\}$$

proper subset of SK

So we can say eD is also a CK.

So the final prime

Attributes are $\{A, D, e\}$.

Yes, CT can be found.

Yes $B \rightarrow e$, e is on the

R.H.S. So we can write

$$AD \rightarrow CK$$

$$\downarrow$$

$$SK \rightarrow eD \rightarrow CK$$

$$SK \rightarrow eD \rightarrow CK$$

$$B^+ = \{B, C, A\} \quad \left. \begin{array}{l} \\ \\ \end{array} \right\} \begin{array}{l} \text{none of} \\ \text{is} \end{array}$$

$$D^+ = \{D\}$$

$$R(A, B, C, D, E, F)$$

So, BD is a CK $\{A \rightarrow B, B \rightarrow C, C \rightarrow D, D \rightarrow E, E \rightarrow F\}$

So, the prime attr. = $\{A, B, C, D\}$

again CT say Yes $A \rightarrow B, B \rightarrow C, C \rightarrow D, D \rightarrow E, E \rightarrow F$

is on the R.H.S. So we can write,

write,

$$AD \rightarrow CK$$

$$sk \rightarrow \downarrow CD \rightarrow CK$$

$$sk \rightarrow \downarrow BD \rightarrow CK$$

$$sk \rightarrow \downarrow AD \rightarrow CK \quad \left. \begin{array}{l} \text{we already} \\ \text{check this.} \end{array} \right\}$$

$$\{A\} = A$$

So, All the CK are $\{AD, CD, BD\}$

and prime attributes = $\{A, B, C, D\}$

There is no non-prime attributes.

$$\{B, C, D, A\} = A$$

Example:

$R(A, B, C, D, E, F)$

FD = $\{ AB \rightarrow C, C \rightarrow DE, E \rightarrow F, D \rightarrow A, C \rightarrow B \}$

$AB C D E F^+ = \{ A, B, C, D, E, F \} \rightarrow SK$

$AB D E F^+ = \{ A, B, C, D, E, F \} \rightarrow SK$

$AB F^+ = \{ A, B, F, C, D, E \} \rightarrow SK$

$AB^+ = \{ A, B, C, D, E, F \} \rightarrow SK$

$A^+ = \{ A \}$
 $B^+ = \{ B \}$ } none of SK

So AB is a ck.

Prime Attributes $\{ A, B \}$

$AB \rightarrow C$

\downarrow

$SK \rightarrow DB$

$D^+ = \{ D, A \}$

$B^+ = \{ B \}$

So DB is a ck

prime attr $\{ A, B, D \}$

$AB \rightarrow AC \rightarrow SK$
 $AB \rightarrow DD \rightarrow SK$
 $A^+ = \{ A \} SK$

So, AC not a ck.

But C is a ck.

P.A = $\{ A, B, D, C \}$

$AB \rightarrow AC$

\downarrow
 DB

\downarrow
 $CB \rightarrow SK$

$C^+ = \{ \}$
 $B^+ = \{ \}$

$CK = \{ AB, BD, C \}$

$PA = \{ A, B, C, D \}$

$non-PA = \{ E, F \}$

A Canonical Cover

A canonical cover (or minimal cover) of a set of FD is simplified version of that set where

1. Redundant dependencies are removed
2. Attributes within dependencies are removed
3. Each dependency is a single attribute dependency on the right side.

$\{ A \rightarrow B, A \rightarrow C \} = F$

$\{ A \rightarrow B, A \rightarrow C \} = F$

If R' don't have

- ① extraneous attribute/redundant attribute
- ② redundant FD.

To make this.

Step ① splitting rule/Decomposition

so that in every R.H.S has single attribute

~~Step ②~~ ** You can't split L.H.S **

Example $A \rightarrow BC$ so $A \rightarrow B$ and $A \rightarrow C$

Step: ② Remove redundant attribute.

Example:

$$F_1 = \{ AB \rightarrow c, \underline{A \rightarrow c} \}$$

Here we can define c by A alone

So no need to define c by AB .

or same

$$\{ AB \rightarrow c, \underline{A \rightarrow B} \}$$

we can remove B from AB

$$F_2 = \{ AB \rightarrow c, \underline{B \rightarrow c} \}$$

no need to AB .

(iii) Remove ~~redundant/duplicate~~ FD.

Example:

$$F :- \{ AB \rightarrow C, C \rightarrow AB, B \rightarrow C, AB \rightarrow AC, A \rightarrow C, AC \rightarrow B \}$$

Step 1: $:- \{ \cancel{AB \rightarrow C}, \cancel{C \rightarrow A}, \cancel{C \rightarrow B}, \underline{B \rightarrow C}, \cancel{AB \rightarrow A}, \cancel{AB \rightarrow C}, \underline{A \rightarrow C}, \cancel{AC \rightarrow B} \}$

we can find B indirectly by $A \rightarrow B$

Step 2: $:- \{ \cancel{B \rightarrow C}, \underline{C \rightarrow A}, \underline{C \rightarrow B}, \underline{B \rightarrow C}, \cancel{A \rightarrow C}, \cancel{A \rightarrow B} \}$

Step 3: $:- \{ \underline{C \rightarrow A}, \underline{B \rightarrow C}, A \rightarrow B \}$

** Canonical Cover is

answer is same

as to what person to

person ~~verify~~ verify ~~is~~ ~~is~~

$C^+ = C, B$ we cannot get A here
So we cannot remove $C \rightarrow A$

$$C^+ = C, A, B$$

$$B^+ =$$

$$A^+ = A, B, C$$

$$A^+ = A, C$$

Semester Q. solve

Topic Functional Dependency: (20-21 final exam)

{ 19-20 Q. 1(b)
18-19 Q. 2(d) }

Q: 2(a) / Let $R = (A, B, C, D)$. If AB and BD can

uniquely identify a tuple in a relation $r(R)$ separately then how many super keys, ck and PK are there?

Answer:

candidate keys:

We are given that AB and BD can each uniquely identify a tuple in R without any redundancy.

Since AB and BD uniquely identify tuples and contain the minimal attributes with uniqueness, so they are the candidate keys of that relation.

the number of two, these are =
So candidate keys are $\{AB, BD\}$.

Super key: Super keys are sets of attributes that can uniquely identify a tuple.

They include ck and any superset

of those ck.

We already found that, candidate keys are AB and BD.

So ~~the~~ according to Augmentation rule we can say all the combination of attributes with ck are also super keys.

Any combination with AB : (ABC, ABD, ABCD)

Any combination with BD : (BDA, BDC, BDAE)

So the super keys are,

{AB, BD, ABC, ABD, ~~ABCD~~, BDC, ABCD}

number of super keys are 6.

Primary key: A primary is a key that

can uniquely identify any tuples in a

Relation. In a relation there will be only

one PK.

So PK is = {AB or BD} num. of PK is 1.

6(a)

Assumptions

~~The~~ Given that,

employee(emp-id, emp-name, emp-phone, dept-name, dept-phone, dept-mgr id, skill-id, skill-name, skill-date, skill-level)

Assumptions:

1. emp-id uniquely identifies each employee.
2. dept-name identifies dept-mgr id which is unique to each department.
3. skill-id uniquely identifies each skill-name.
4. combination of emp-id and skill-id can uniquely identify emp-name, emp-phone, skill-level, skill-date, skill-name.
5. dept-mgr id uniquely identifies dept-name, dept-phone.

So the Functional Dependencies are,

- FD 1: $\text{emp-id} \rightarrow \text{emp-name}, \text{emp-phone}, \text{dept-name}$
- FD 2: $\text{dept-name} \rightarrow \text{dept-mgrid}, \text{dept-phone}$
- FD 3: $\text{dept-mgrid} \rightarrow \text{dept-name}, \text{dept-phone}$
- FD 4: $\text{skill-id} \rightarrow \text{skill-name}$
- FD 5: $(\text{emp-id}, \text{skill-id}) \rightarrow \text{emp-name}, \text{emp-phone}, \text{dept-name}, \text{skill-name}, \text{skill-date}, \text{skill-level}$

These are all the dependencies.

6 (a) Functional dependency set:

Assumption:

- ① An employee can have multiple skills, but each skill is unique to an employee.
- ② A skill can be possessed by multiple employee.
- ③ A department has a unique manager.

Functional dependency Set:

1. Employee Information:

- ① $\text{emp-id} \rightarrow \text{emp-name}, \text{emp-phone}, \text{dept-name}$
- ② $\text{emp-id} \rightarrow \text{dept-name}$

2. Department Information:

dept-name \rightarrow dept-phone, dept-mgrid

3. Skill Information:

skill-id \rightarrow skill-name

4. Employee-skill relationship:

(emp-id, skill-id) \rightarrow skill-date, skill-level.

⑫ To normalize the database into BCNF

we can decompose it into the following relations:

1. Employee (emp-id, emp-name, emp-phone, dept-name)
primary key: emp-id.

2. Department (dept-name, dept-phone, dept-mgrid)
Primary key: dept-name

3. Skill (skill-id, skill-name)

Primary key: skill-id

4. Employee-skill (emp-id, skill-id, skill-date, skill-level)

Primary key: (emp-id, skill-id)

This decomposition ensure that each relation is in BCNF. The first three relations are already in BCNF as they are atomic and have simple primary key. The 4th relation, (Employee_skill) is also in BCNF because the primary key (emp-id, skill-id) uniquely determines all other attributes.

This normalized design remove all of the redundancies and ensure data integrity.

⑩

id \rightarrow name, design, email

name, design \rightarrow email, salary

name \rightarrow email

email \rightarrow id

To compute canonical cover we should follow these steps.

Given the functional dependency (FD),

1. $id \rightarrow name, designation, email$
2. $name, designation \rightarrow salary, email$
3. $name \rightarrow email$
4. $email \rightarrow id$

* Now consider id as 'A', $name$ as 'B', $designation$ as 'C', $email$ as 'D', $salary$ as 'E',
easier the calculation.

- So,
1. $A \rightarrow B, C, D$
 2. $B, C \rightarrow E, D$
 3. $B \rightarrow D$
 4. $D \rightarrow A$

Step 1: Decomposition

Decompose all the FDs so that every FDs has a single value on the R.H.S.

1. $A \rightarrow B$
2. $A \rightarrow E$
3. $A \rightarrow D$
4. $(B, C) \rightarrow E$
5. $(B, C) \rightarrow D$
6. $B \rightarrow D$
7. $D \rightarrow A$

Step 2: Remove Extraneous Attributes

FD 4: $BC \rightarrow E$

if we remove C then ~~can we~~

B alone can't determine E .

again, if we remove B

C alone can't determine E

So $BC \rightarrow E$ remain as is.

FD 5: $BC \rightarrow D$

if we remove C

B can determine D

So, we can remove C and the FD remain $B \rightarrow D$

After the step 2 we get the FDs are

1. $A \rightarrow B$

2. $A \rightarrow C$

3. $A \rightarrow D$

4. $BC \rightarrow E$

5. $B \rightarrow D$

6. $D \rightarrow A$

Step 3: Remove Redundant FDs

FD 3: if we remove $A \rightarrow D$,

we can still get $A \rightarrow D$ from

~~these~~, ~~these~~ $\{D \rightarrow A \text{ and } A \rightarrow C, A \rightarrow B\}$

So $A \rightarrow D$ is a redundant FD.

The final FDs are

1. $A \rightarrow B$

2. $A \rightarrow C$

3. $BC \rightarrow E$

4. $B \rightarrow D$

5. $D \rightarrow A$

= $id \rightarrow name$

= $id \rightarrow designation$

= $(name, designation) \rightarrow salary$

= $name \rightarrow email$

= $email \rightarrow id$

These are the final canonical cover.

$F:- (id \rightarrow name, id \rightarrow designation, (name, designation) \rightarrow salary, name \rightarrow email, email \rightarrow id)$

7(a)

Given that,

Relation schema $R = \{A, B, C, D, E\}$

FD: $A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A$

Now, the closure set of following

$$A^+ = \{A, B, C, D, E\}$$

$$(AB)^+ = \{A, B, C, D, E\}$$

$$(BC)^+ = \{B, C, D, E, A\}$$

$$(ABC)^+ = \{A, B, C, D, E\}$$

All of those are super keys and the minimal of them is A, so A

6 (b)

① $AB \rightarrow c$:

In rows 1 and 3 we have identical values for e but different values for $A=1$ and $B=2$ but different for e (in row 1, $e=3$ and in row 3, $e=4$)

Result: As same value of AB doesn't match with c in rows 1 and 3, so $AB \rightarrow c$ doesn't hold in relation.

(N) B → D:

$B \rightarrow D$:
That means B determines D and if rows with
of B are same value then D should be
same values.

In rows 1, ~~2~~^{and}, 3 we see $B=2$ and $D=4$
and in row 2 ~~$B=2$~~ $B=4$ and $D=4$

Result: For every values of B the values of D remain same. So $B \rightarrow D$ holds in relation.

(ii) $DE \rightarrow A$:

If the same value of D and E have the same value for A exist then it will be hold in relation.

In rows 1 and 2 identical values of $D=4$ and $E=2$ and both have $A=1$.

Result: $DE \rightarrow A$ holds because rows with identical values of D and E have a consistent value for A.

Q(c)

Given ~~that Function~~

Given Relation and Functional Dependency:

$R(A, B, C, D)$

FDs : 1. $AB \rightarrow CD$

2. $BC \rightarrow D$

Step 1 Decompose R.H.S:

FDs:

1. $AB \rightarrow C$

2. $AB \rightarrow D$

3. $BC \rightarrow D$

Step 2 Remove Redundant Attributes:

1. For $AB \rightarrow C$:

① Removing A: $B^+ = \{B\}$ doesn't include C, so A is not redundant

② Removing B: $A^+ = \{A\}$ doesn't include C, so B is not redundant

2. For $AB \rightarrow D$:

- ① Removing A: $B^+ = \{B\}$ doesn't include D, so A is not redundant.
- ② Removing B: $A^+ = \{A\}$ doesn't include D, so B is not redundant.

3. For $BC \rightarrow D$:

- ① Removing B: $C^+ = \{C\}$ doesn't include D, so B is not redundant.
- ② Removing C: $B^+ = \{B\}$ doesn't include D, so C is not redundant.

So, all the dependencies are not redundant.
attributes.

Step 3: Remove Redundant FDs

Since $BC \rightarrow D$ is not implied by $AB \rightarrow C$ and $AB \rightarrow D$,
so it is not redundant.

Final Minimal cover for $R(A, B, C, D)$ is:

1. $AB \rightarrow C$

2. $AB \rightarrow D$

3. $BC \rightarrow D$

18-10

4(a)

Is it important to have a FD in each table? why ~~and~~ ^{or} why not?

Ans: No, it is not strictly necessary to have a functional dependency (FD) in each table. However, FDs are important for defining the relationships between attributes and ensuring data integrity.

They help with normalization, reducing redundancy and eliminating update anomalies.

In case where no FDs exist, the table may lack meaningful structure and could lead to data anomalies.

⑥ ①

Given the dependencies are,

1. $A \rightarrow BC$

2. $B \rightarrow E$

3. $CD \rightarrow EF$

Relation, $R(A, B, C, D, F)$

closure set:

$AB C D F^+ = \{A, B, C, D, F, E\} \rightarrow \text{super key (SK)}$

$A D F^+ = \{A, D, F, B, C, E\} \rightarrow \text{sk [BC can determine by A]}$

Now the ~~sub~~ subset of ADF.

$A^+ = \{A, B, C, E\} \rightarrow \text{not a sk}$

$D^+ = \{D\} \rightarrow \text{not a sk}$

$F^+ = \{F\} \rightarrow \text{not a sk}$

$A D^+ = \{A, D, B, C, E, F\} \rightarrow \text{SK}$

~~$A F^+ = \{A, F, B, C, E\} \rightarrow \text{not a sk}$~~

~~$D F^+ = \{D, F\}$~~

~~As AD is a super key, so the AF~~

As AD is a super key and the minimal of all super keys, so it is the candidate key.

② Prove that $AD \rightarrow F$ holds in R .

To prove that $AD \rightarrow F$ holds, we can use the closure of AD to see if it includes F .

closure of AD^+ :

$$(AD^+ = \{A, D\}) \xrightarrow{A \rightarrow B, C} \{A, D, B, C\} \xrightarrow{B \rightarrow E} \{A, D, B, C, E\} \xrightarrow{CD \rightarrow EF} \{A, D, B, C, E, F\}$$

[Using $A \rightarrow B, C$ we get $AD^+ = \{A, D, B, C\}$

Using $B \rightarrow E$ we get $AD^+ = \{A, D, B, C, E\}$

Using $CD \rightarrow EF$ we get $AD^+ = \{A, D, B, C, E, F\}$

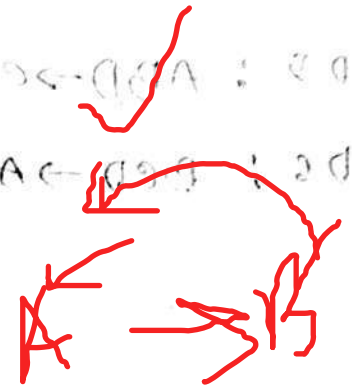
Since AD^+ includes F , the dependency $AD \rightarrow F$ holds in R .



~~Step 1: $AD^+ = \{A, D\}$~~
~~Step 2: $AD^+ = \{A, D, B, C\}$~~
~~Step 3: $AD^+ = \{A, D, B, C, E\}$~~
~~Step 4: $AD^+ = \{A, D, B, C, E, F\}$~~

6(d) List all the non-trivial FDs:

A	B	C	D
a1	b1	c1	d1
a1	b2	c1	d2
a2	b2	c2	d2
a2	b2	c2	d3
a3	b3	c2	d4



Non-trivial FDs:

Non-trivial FDs are those where dependent does not determine the part of it ~~dep~~ determinant.

Example: $A \rightarrow B$, $CD \rightarrow E$ etc.

But $A \rightarrow A$, $CD \rightarrow CD$ are trivial FDs.

The non-trivial FDs are given below:

~~FD 1: $A \rightarrow B$~~

~~a1 maps c1 and a2 maps c2 both times.~~

~~FD 2: $A \rightarrow D$~~

~~a1 maps b1 and a2 maps b2~~

~~FD 3: $B \rightarrow D$~~

~~b1 maps~~

~~FD 2: $AB \rightarrow C$~~

~~a1 and b2 maps c2 both times.~~

FD 1: $A \rightarrow C$

FD 3: $AD \rightarrow C$

FD 4: $CD \rightarrow A$

FD 5: $ABD \rightarrow C$

FD 6: $BCD \rightarrow A$

FD 2: $AB \rightarrow C$

FD 7: $D \rightarrow B$

FD 8: $AD \rightarrow B$

FD 9: $BC \rightarrow A$

FD 10: $CD \rightarrow B$

FD 11: $ACD \rightarrow B$

A	B	C	D
1	1	1	1
1	1	1	1
1	1	1	1
1	1	1	1
1	1	1	1
1	1	1	1
1	1	1	1

Utrozet : indexing & SQL

INDEX

Index:

Index is the data structured technique that helps to retrieve data quickly from database.

Syntax:

Create indexing index-name
ON table_name (column 1, column 2, ...);

Type of indexing

ordered indices
↳ Data of sorted
ordering values

Hash indices
↳ base on values
determine by function
called hash function

Structure:

Search Key	Data Reference Pointer
---------------	------------------------------

↓
Primary
candidate key
sorted order

↳ pointer holding
the address of the
disk block.

S.K	D.R
1	1001
2	1004
3	1006
4	1008



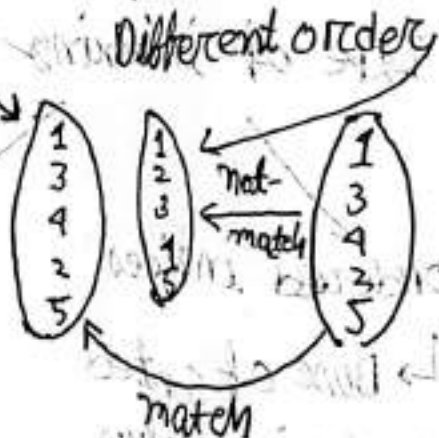
i) Ordered indices:

In an ordered index, index entries are stored on the search key value.

Primary/clustering index

In search key of the index has some order as the sequential order of the file.

Secondary/Non-clustering index

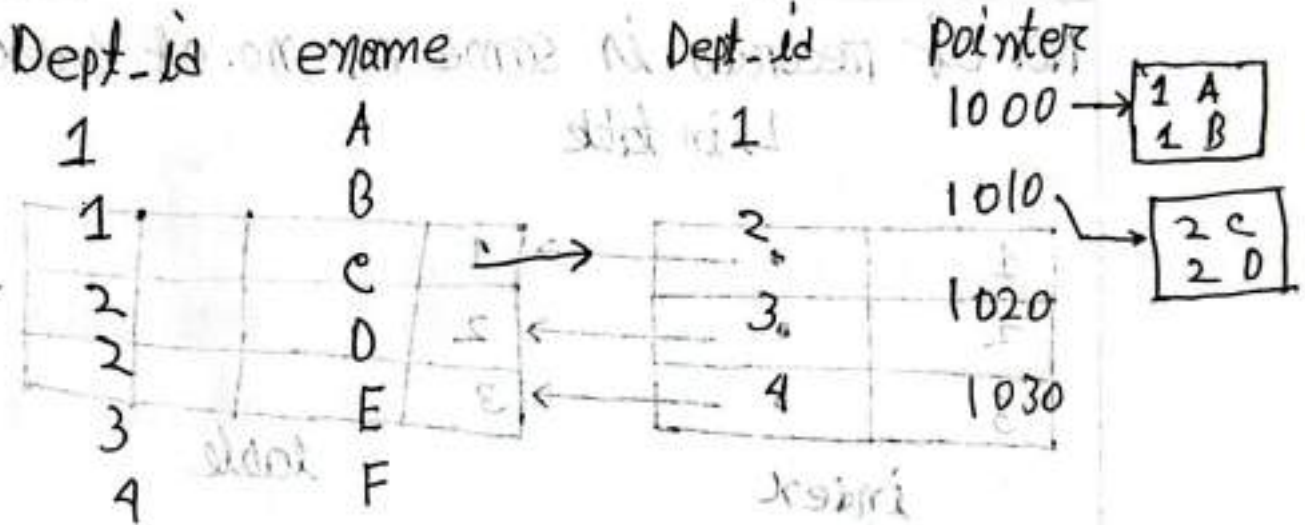


ii) clustered indexing:

In this two or more columns are grouped together to uniquely identify the records.

→ Records with similar characteristics are grouped together and indexes are created for this groups.

Ex.



Primary index:

Data is stored according to the search key
(Primary key to table)

- ↳ allows sequential file organization.
- ↳ Primary key is used to create index.
- ↳ Efficient

Types:-

Dense Index

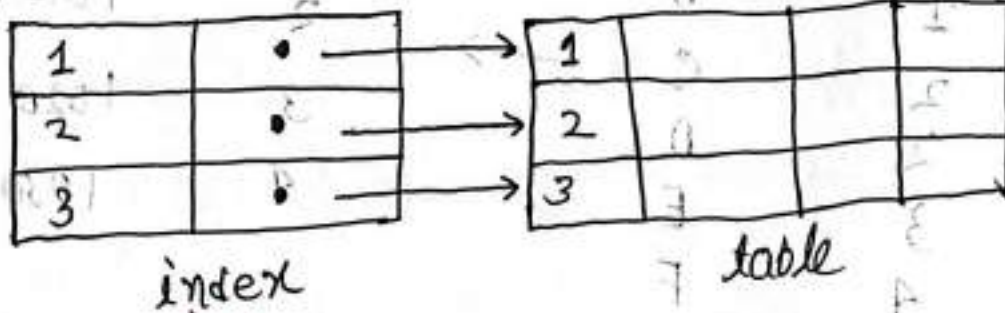
Index record for every search key value.

Sparse Index

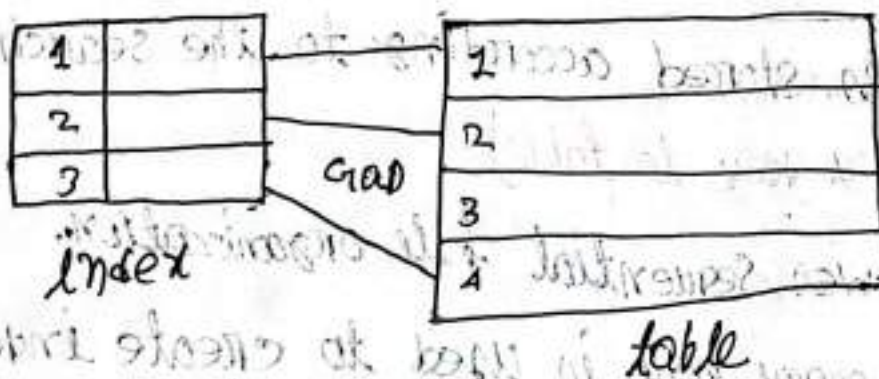
Index record for only few item.
Each item points to Block.

Dense Index:

No. of records is same as no. of indexes
↳ in table



Sparse Index:



Secondary index:

It is used to optimize query processing and access records in database with some information other than primary key.

1- Levels used:

First Level

Large range of no.
is selected.

Second Level

Actual physical
locⁿ of data

eid	pointer
1	→
2	→
500	→
2000	→

200

eid	pointer
200	
400	
600	

First level

200	→ 200
250	
300	→ 260
350	
400	
600	

Second level

Question 20-21

Topic: indexing

8.b) What is sparse indexing? How does multi level indexing improve the efficiency of searching an Index file?

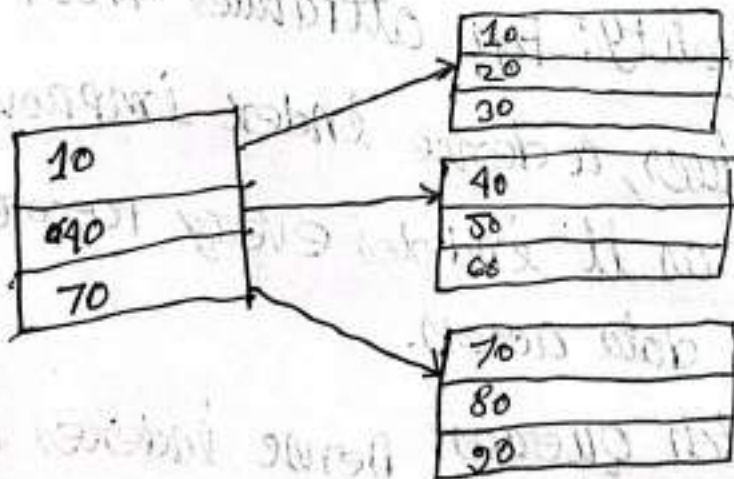
Solve:

Sparse Indexing:

In sparse indexing, only certain records are indexed - usually the first record of each block. This allows a smaller index file and faster ~~set~~ search times within the index. Once the nearest index entry is found, the ~~set~~ search continues within that block to locate the exact record.

Multilevel indexing:

Multilevel indexing improves efficiency by creating a hierarchical structure of indexes, where the first level indexes point to second-level indexes and so on. This reduces the number of disk accesses needed to locate data, as the search progresses down the level of indexes rather than scanning a single large index. The hierarchical structure allows faster data retrieval, especially for large databases.



Q) When is it preferable to use a dense index rather than a sparse index? Explain your answer.

Ans:

A dense index is preferable to a sparse index in the following scenarios:

1. Frequent Searches: If the application performs many searches, a dense index allows for quicker lookups since it contains an entry for every search key, enabling direct access to records.
2. High Cardinality: For attributes with many unique values, a dense index improves retrieval efficiency, as it indexes every record, allowing for precise data access.
3. Exact Match Queries: Dense indexes are optimal for ~~ex~~ exact match queries because they provide direct access to all records, enhancing performance in these cases.

8d) Now make necessary modification to the index file after deletion of the record for the account no 'A-5' and then 'A-2'

Index file after deletion of the record for the account no 'A-5':

Branch name	Pointer
Adaborz	→ A-9
Dhanmondi	→ A-8
Mirpur	→ A-2
Motijheel	→ A-6

Index file after deletion of the record for the account no 'A-2'

Branch-name	Pointer
Adaborz	→ A-9
Dhanmondi	→ A-8
Mirpur	→ A-4
Motijheel	→ A-6

Q-2019-20

8Q) Here's a brief differentiation for each type of indexing:

1. Primary indexing: An index base on a table's unique primary key; it organizes records in order and allows fast access.

2. Secondary indexing:

An index on non-primary, non-unique fields; allows multiple indexes per table for quicker lookup on specific columns.

3. Clustering indexing:

Build on non-unique columns with repeated values; groups similar records together, which is efficient for range searches.

b) 2021-22 (c)

c) In general, it is not possible to have two primary indices on the same relation for different keys because the tuples in a relation would have to be stored in different order to have same values stored together. We could accomplish this by storing the relation twice and duplicating all values, but for a centralized system, this is not efficient.

d) 1) Instance of Relations:

Course relation:

Course-name	room	instructor
Math 101	R ₁	Prof. Smith
Physics 101	R ₂	Prof. Johnson

enrollment Relation:

Course-name	Student-name	grade
Math 101	Alice	A
Math 101	Bob	B
Math 101	Carol	C
Physics 101	Dave	B
Physics 101	Eve	A
Physics 101	Frank	C

Clustering structure:

data is clustered based on course-name storing each course and its corresponding enrollment records together:

- cluster 1 (Math 101): (Math 101, R₁, Prof. Smith),
(Math 101, Bob, B), (Math 101, Carol, C)
- cluster 2 (Physics 101): (Physics 101, R₂, Prof. Johnson),
(Physics 101, Dave, B), (Physics 101, Eve, A),
(Physics 101, Frank, C).

2020-21

a) Consider the database schema below:

[10]

employee (ename, street, city)

emp_company (ename, cname, salary, jdate)

company (cname, city)

manager (ename, mname, shift)

Note: A manager is also an employee of a company.

Give SQL and RA expressions for the following queries:

→ R.A not needed
this is out of syllabus.

(i) Find names, street addresses and cities of residence of all employees who work under manager Sabbir and who joined before January 01, 2019.

(ii) Find the names of the employees living in the same city where Rahim is residing.

(iii) Display the average salary of each company except Square Pharma.

(iv) Increase the salary of employees by 10% for the companies those are located in Barisal.

(v) Delete records from *emp_company* that contain employees living in Rajshahi.

b) SQL allows a foreign-key dependency to refer to the same relation, as in the following example: [2]

```
CREATE TABLE manager
(employee-name CHAR(20),
manager-name CHAR(20),
PRIMARY KEY employee-name,
FOREIGN KEY (manager-name) REFERENCES manager(employee-
name) ON DELETE CASCADE);
```

Here, *employee-name* is a key to the table *manager*, meaning that each employee has at most one manager. The foreign-key clause requires that every manager also be an employee. Explain exactly what happens when a tuple in the relation *manager* is deleted.

(i) Find names, street addresses, and cities of residence of all employees who work under manager Sabbir and who joined before January 01, 2019.

SQL Query:

Sql

Copy code

```
SELECT e.ename, e.street, e.city
FROM employee e
JOIN emp_company ec ON e.ename = ec.ename
JOIN manager m ON e.ename = m.ename
WHERE m.mname = 'Sabbir' AND ec.jdate < '2019-01-01';
```

Relational Algebra:

$\pi_{ename, street, city} (\sigma_{mname='Sabbir' \wedge jdate < '2019-01-01'} (employee \bowtie emp_company \bowtie manager))$

(ii) Find the names of the employees living in the same city where Rahim is residing.

SQL Query:

SqlCopy code

```
SELECT e1.ename
FROM employee e1
JOIN employee e2 ON e1.city = e2.city
WHERE e2.ename = 'Rahim';
```

Relational Algebra:

$$\pi_{e1.ename} \left(\sigma_{e1.city=e2.city \wedge e2.ename \neq 'Rahim' \wedge e1.ename \neq 'Rahim'} (employee \times employee) \right)$$

(iii) Display the average salary of each company except Square Pharma.

SQL:

SqlCopy code

```
SELECT cname, AVG(salary) AS average_salary
FROM emp_company
WHERE cname != 'Square Pharma'
GROUP BY cname;
```

Relational Algebra:

$$\gamma_{cname,AVG(salary)} \left(\sigma_{cname \neq 'SquarePharma'} (emp_company) \right)$$

(iv) Increase the salary of employees by 10% for the companies that are located in Barisal.

SQL:

Sql

 Copy code

```
UPDATE emp_company
SET salary = salary * 1.1
WHERE cname IN (SELECT cname FROM company WHERE city = 'Barisal');
```

Relational Algebra:

Relational Algebra does not have an update operation, so it is not expressible in traditional RA.

(v) Delete records from *emp_company* that contain employees living in Rajshahi.

SQL:

Sql

 Copy code

```
DELETE FROM emp_company
WHERE ename IN (SELECT ename FROM employee WHERE city = 'Rajshahi');
```



b) When a tuple (row) in the manager table is deleted, ON Delete cascade triggers an automatic deletion of any rows where that tuple's employee-name is referenced.

as manager-name. This deletion process continues recursively, ensuring that any employees managed directly or indirectly by the deleted employee are also removed, preserving referential integrity within the table

Shortest:

When a row in the manager table is deleted, ON DELETE CASCADE automatically deletes all rows where that employee is listed as a manager, continuing recursively until no references remain.

5. a) Consider the database schema below:

[8]

worker (wname, street, city)

works (work_id, wname, orgname, salary, jdate)

organization (orgname, city)

manages (wname, manager-name, shift)

Note: A manager is also an employee of an organization.

Give SQL expressions for the following queries:

- Find the names of all employees who work for "Google".
- Find the names of all employees in this database who live in the same city as the company for which they work.
- Find the names of all employees who live in the same city and on the same street as do their managers.
- Give all managers in the database a 7.5% salary raise.
- Find the names of the employees living in the same city where Rahim is residing.
- Find the company with the most employees
- Create a view to show all the employees who earn more than average salary.
- Find all the employees who work more than five years for "Facebook".

(i) Find the names of all employees who work for "Google".

Sql

Copy code

```
SELECT wname
FROM works
WHERE orgname = 'Google';
```

(ii) Find the names of all employees who live in the same city as the company for which they work.

Sql

Copy code

```
SELECT w.wname
FROM worker w
JOIN works ws ON w.wname = ws.wname
JOIN organization o ON ws.orgname = o.orgname
WHERE w.city = o.city;
```

(iii) Find the names of all employees who live in the same city and on the same street as their managers.

Sql

Copy code

```
SELECT w.wname
FROM worker w
JOIN manages m ON w.wname = m.wname
JOIN worker wm ON m.manager-name = wm.wname
WHERE w.city = wm.city AND w.street = wm.street;
```

(iv) Give all managers in the database a 7.5% salary raise.

Sql

Copy code

```
UPDATE works
SET salary = salary * 1.075
WHERE wname IN (SELECT wname FROM manages);
```


(v) Find the names of the employees living in the same city where Rahim is residing.

Sql

 Copy code

```
SELECT wname
FROM worker
WHERE city = (SELECT city FROM worker WHERE wname = 'Rahim');
```

(vi) Find the company with the most employees.

Sql

 Copy code

```
SELECT orgname
FROM works
GROUP BY orgname
ORDER BY COUNT(wname) DESC
LIMIT 1;
```

(vii) Create a view to show all the employees who earn more than the average salary.

Sql

 Copy code

```
CREATE VIEW AboveAverageSalary AS
SELECT wname, salary
FROM works
WHERE salary > (SELECT AVG(salary) FROM works);
```

(viii) Find all the employees who have worked for "Facebook" for more than five years.

Sql

 Copy code

```
SELECT wname
FROM works
WHERE orgname = 'Facebook' AND DATEDIFF(CURDATE(), jdate) > 5 * 365;
```


- b) SQL allows a foreign-key dependency to refer to the same relation, as in the following [4]
example:

```
CREATE TABLE manager(  
    employee-name CHAR(20),  
    manager-name CHAR(20),  
    PRIMARY KEY employee-name,  
    FOREIGN KEY (manager-name) REFERENCES manager(employee-  
name) ON DELETE CASCADE);
```

Here, *employee-name* is a key to the table *manager*, meaning that each employee has at most one manager. The foreign-key clause requires that every manager also be an employee.

- (i) Explain exactly what happens when a tuple in the relation *manager* is deleted.
- (ii) What will happen, if **RESTRICT** is used instead of **CASCADE**?

(i) When a tuple (row) in the manager table is deleted with ON DELETE CASCADE, any rows that reference the deleted employee-name as their manager-name will also be deleted automatically. This deletion will continue recursively, ensuring that all employees who directly or indirectly report to the deleted employee are also removed, preserving referential integrity.

(ii) If RESTRICT is used instead of CASCADE, deletion of a tuple is restricted if it has dependent rows (i.e., if other rows reference its employee-name as their manager-name). In this case, attempting to delete such a row will produce an error, preventing the deletion until all dependent rows are removed or updated to maintain referential integrity.

5. (a) Consider the following table and give an expression in SQL for each of the following queries: [10]

employee(employee_name, street, city)
works(employee_name, company_name, salary)
company(company_name, city)
manages(employee_name, manager_name)

- (i) Find the names of all employees who work for First Bank Corporation.
- (ii) Find all employees in the database who live in the same cities as the companies for which they work.
- (iii) Find all employees in the database who live in the same cities and on the same streets as do their managers.
- (iv) Find all employees who earn more than the average salary of all employees of their company.
- (v) Find the company that has the smallest payroll.
- (vi) Give all employees of First Bank Corporation a 10 percent raise.
- (vii) Find the company that has the most employees.
- (viii) Find the employees who earn highest salary.
- (ix) Find all employees who earn more than the average salary of all.
- (x) Create a new table 'employer' with the attributes *employer_id*, *employee_name*, *company_name*, where primary key is (*employer_id*, *company_name*) and foreign key is *employee_name*.

- b) Consider the relations $r_1(A, B, C)$, $r_2(C, D, E)$, and $r_3(E, F)$, with primary keys A, C, and E [2]
respectively. Assume that r_1 has 1000 tuples, r_2 has 1500 tuples, and r_3 has 750 tuples.
Estimate the size of $(r_1 \bowtie r_2 \bowtie r_3)$ and give an efficient strategy for computing the join.

(i) Find the names of all employees who work for First Bank Corporation.

SqlCopy code

```
SELECT employee_name
FROM works
WHERE company_name = 'First Bank Corporation';
```

(ii) Find all employees in the database who live in the same cities as the companies for which they work.

SqlCopy code

```
SELECT e.employee_name
FROM employee e
JOIN works w ON e.employee_name = w.employee_name
JOIN company c ON w.company_name = c.company_name
WHERE e.city = c.city;
```

(iii) Find all employees in the database who live in the same cities and on the same streets as do their managers.

SqlCopy code

```
SELECT e.employee_name
FROM employee e
JOIN manages m ON e.employee_name = m.employee_name
JOIN employee em ON m.manager_name = em.employee_name
WHERE e.city = em.city AND e.street = em.street;
```

(iv) Find all employees who earn more than the average salary of all employees of their company.

SqlCopy code

```
SELECT w.employee_name
FROM works w
JOIN (
    SELECT company_name, AVG(salary) AS avg_salary
    FROM works
    GROUP BY company_name
) avg_salary ON w.company_name = avg_salary.company_name
WHERE w.salary > avg_salary.avg_salary;
```

(v) Find the company that has the smallest payroll.

SqlCopy code

```
SELECT company_name
FROM works
GROUP BY company_name
ORDER BY SUM(salary) ASC
LIMIT 1;
```



(vi) Give all employees of First Bank Corporation a 10 percent raise.

SqlCopy code

```
UPDATE works
SET salary = salary * 1.10
WHERE company_name = 'First Bank Corporation';
```

(vii) Find the company that has the most employees.

SqlCopy code

```
SELECT company_name
FROM works
GROUP BY company_name
ORDER BY COUNT(employee_name) DESC
LIMIT 1;
```

(viii) Find the employees who earn the highest salary.

SqlCopy code

```
SELECT employee_name
FROM works
WHERE salary = (SELECT MAX(salary) FROM works);
```

(ix) Find all employees who earn more than the average salary of all.

SqlCopy code

```
SELECT employee_name
FROM works
WHERE salary > (SELECT AVG(salary) FROM works);
```

(x) Create a new table *employer* with the attributes *employer_id*, *employee_name*, and *company_name*, where the primary key is (*employer_id*, *company_name*) and *employee_name* is a foreign key referencing *employee*.

SqlCopy code

```
CREATE TABLE employer (
    employer_id INT,
    employee_name CHAR(20),
    company_name CHAR(20),
    PRIMARY KEY (employer_id, company_name),
    FOREIGN KEY (employee_name) REFERENCES employee(employee_name)
);
```

6) To efficiently estimate and compute the join size of :

1. Estimate Size:

First, join with on . This join yields 1500 tuples (since has 1500 tuples).

Then, join the result with on , yielding a maximum of 1000 tuples (matching the primary key size of).

Estimated size of : 1000 tuples.

2. Efficient Strategy:

Perform first to minimize intermediate results, then join the result with .

5. a) Consider the following relations: [10]

client (client-no, name, address, city)

product (product-no, description, profit-percent, qty-in-hand, reorder-level, cost-price)

salesman (salesman-no, name, address, city, sale-amt)

salesorder (order-no, order-date, client-no, del-add, salesman-no, del-date, order-status)

order-detail (order-no, product-no, qty-ordered, qty-delivered)

Give SQL and RA expressions for the following queries:

(i) Find the list of all clients who stay in cities Dhaka or Khulna.

(ii) Find the products with their description whose selling price is greater than 2000 and less than or equal to 5000. [Hints: Selling price can be found from cost-price and profit-percent]

(iii) Find the total ordered and delivered quantity for each product with a product range of P0035 to P0056.

(iv) Find the clients with their names and order numbers whose orders are handled by the salesman Mr. X.

(v) Find the product no and description of non-moving products, i.e., products not being sold.

→ don't know

b) Consider the relations $r_1(A, B, C)$, $r_2(C, D, E)$, and $r_3(E, F)$, with primary keys A, C, and E respectively. Assume that r_1 has 1000 tuples, r_2 has 1500 tuples, and r_3 has 750 tuples. [2]

Give SQL and RA expressions for the following queries: (i) Find the list of all clients who stay in cities Dhaka or Khulna. (ii) Find the products with their description whose selling price is greater than 2000 and less than or equal to 5000. (iii) Find the total ordered and delivered quantity for each product with a product range of P0035 to P0056. (iv) Find the clients with their names and order numbers whose orders are handled by the salesman Mr. X. (v) Find the product no and description of non-moving products, i.e., products not being sold.

(i) List of all clients who stay in cities "Dhaka" or "Khulna"

SQL

SqlCopy code

```
SELECT name, city
FROM client
WHERE city IN ('Dhaka', 'Khulna');
```

Relational Algebra

$\pi_{name, city}(\sigma_{city='Dhaka' \text{ OR } city='Khulna'}(client))$

(ii) Find products with their descriptions whose selling price is greater than 2000 and less than or equal to 5000

Selling price is calculated as:

$selling\ price = cost-price + (cost-price \times \frac{profit-percent}{100})$

SQL

SqlCopy code

```
SELECT product-no, description
FROM product
WHERE (cost-price + (cost-price * profit-percent / 100)) > 2000
      AND (cost-price + (cost-price * profit-percent / 100)) <= 5000;
```

Relational Algebra

Letting

$selling\ price = cost-price + (cost-price \times \frac{profit-percent}{100})$:

$\pi_{product-no, description}(\sigma_{2000 < selling\ price \leq 5000}(product))$

(v) Product number and description of non-moving products (products not being sold)

SQL

SqlCopy code

```
SELECT p.product-no, p.description
FROM product p
LEFT JOIN order-detail od ON p.product-no = od.product-no
WHERE od.product-no IS NULL;
```

Relational Algebra

$\pi_{product-no, description}(product \setminus (\pi_{product-no}(order-detail)))$

(iii) Total ordered and delivered quantity for each product with product numbers between "P0035" and "P00S6"

SQL

SqlCopy code

```
SELECT product-no,
      SUM(qty-ordered) AS total_ordered,
      SUM(qty-delivered) AS total_delivered
FROM order-detail
WHERE product-no BETWEEN 'P0035' AND 'P00S6'
GROUP BY product-no;
```

Relational Algebra

$\gamma_{product-no, SUM(qty-ordered), SUM(qty-delivered)}(\sigma_{product-no \geq 'P0035' \text{ AND } product-no \leq 'P00S6'}(order-detail))$

(iv) Clients with their names and order numbers whose orders are handled by the salesman "Mr. X"

SQL

SqlCopy code

```
SELECT c.name, s.order-no
FROM client c
JOIN salesorder s ON c.client-no = s.client-no
JOIN salesman sm ON s.salesman-no = sm.salesman-no
WHERE sm.name = 'Mr. X';
```

Relational Algebra

$\pi_{c.name, s.order-no}(\sigma_{sm.name='Mr.X'}(client \bowtie salesorder \bowtie salesman))$

